

# Protein and RNA Structure Alignment

Laboratory of Bioinformatics I  
Module 2

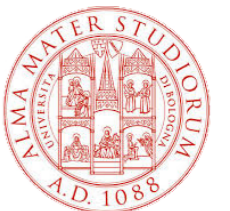
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<http://biofold.org/>



**Biomolecules**  
**Folding and**  
**Disease**

Department of Pharmacy and  
Biotechnology (FaBiT)  
University of Bologna



# Structure Superimposition

Given two sets of points with some the dimension  $A = (a_1, a_2, \dots, a_n)$  and  $B = (b_1, b_2, \dots, b_n)$  in Cartesian space, find the optimal rigid body transformation  $G$  between the two subsets  $A$  and  $B$  that minimizes a given distance metric  $D$  over all possible rigid body transformation  $G$ , i.e.

$$Y = G(X) = A * X + B$$

$A$  = 3x3 rotation matrix

$B$  = the translation vector

$X$  = original point

$$\text{RMSD} = \sqrt{\frac{\sum_{i=1}^n (a_i - b_i)^2}{n}}$$

$$\mathbf{A} = \begin{bmatrix} \cos \theta \cos \psi & \cos \phi \sin \psi + \sin \phi \sin \theta \cos \psi & \sin \phi \sin \psi - \cos \phi \sin \theta \cos \psi \\ -\cos \theta \sin \psi & \cos \phi \cos \psi - \sin \phi \sin \theta \sin \psi & \sin \phi \cos \psi + \cos \phi \sin \theta \sin \psi \\ \sin \theta & -\sin \phi \cos \theta & \cos \phi \cos \theta \end{bmatrix}$$

Therefore structural superimposition correspond the best rototraslation which computational complexity is  $O(n)$ .

# Structural Alignment

Given two sets of points  $A = (a_1, a_2, \dots, a_n)$  and  $B = (b_1, b_2, \dots, b_m)$  in Cartesian space, find the **optimal subsets**  $A(P)$  and  $B(Q)$  with  $|A(P)| = |B(Q)|$ , and find the **optimal rigid body transformation**  $G$  between the two subsets  $A(P)$  and  $B(Q)$  that minimizes a given distance metric  $D$  over all possible rigid body transformation  $G$ , i.e.

$$\min_G \{D[A(P) - G(B(Q))]\}$$

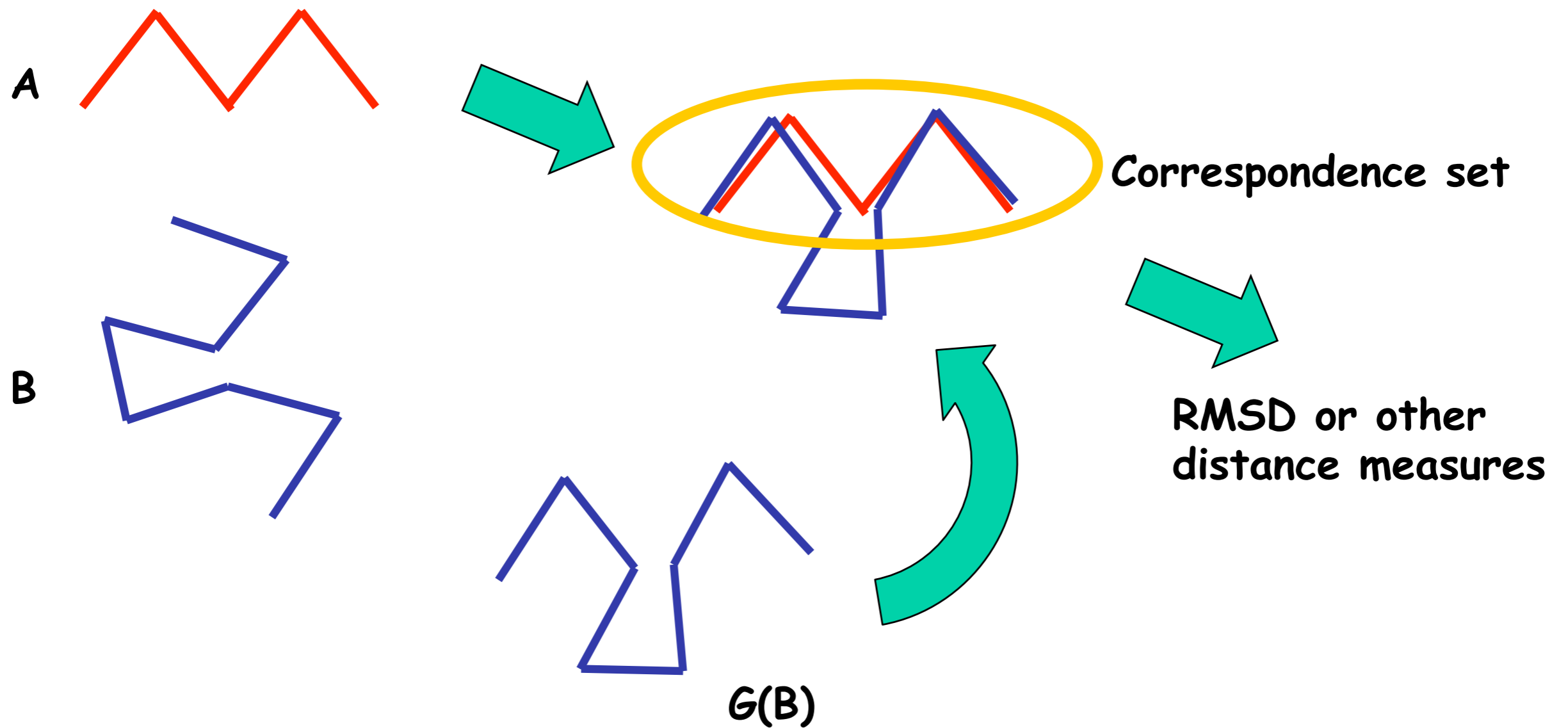
$$\text{RMSD} = \sqrt{\frac{\sum_{i=1}^n (a_i - b_i)^2}{n}}$$

The two subsets  $A(P)$  and  $B(Q)$  define a “correspondence”, and  $p = |A(P)| = |B(Q)|$  is called the correspondence length. Naturally, the correspondence length is maximal when  $A(P)$  and  $B(Q)$  are similar.

Therefore there are essentially two problems in structure alignment:

- Find the **correspondence set** (which is NP-hard), and
- Find the **alignment transform** (which is  $O(n)$ ).

# Structural Alignment



Correspondence:  $(A_1, B_1)$ ,  $(A_2, B_2)$ ,  $(A_3, B_6)$ ,  $(A_4, B_7)$ ,  $(A_5, B_8)$

# Superimposition vs Alignment

- **Structure superposition** assumes you already know which atoms to superimpose (correspondence set)

it merely optimizes the position of the chosen atoms (**relatively simple**)

- **Structure alignment** must first determine what atoms to align (**difficult**).

# Structures Comparison

**Sperm Whale  
Myoglobin  
(1JP6:A)**



**Bacterial  
Haemoglobin  
(1VHB:A)**



**Feature  
Extraction**

Structure 1

Structure 2

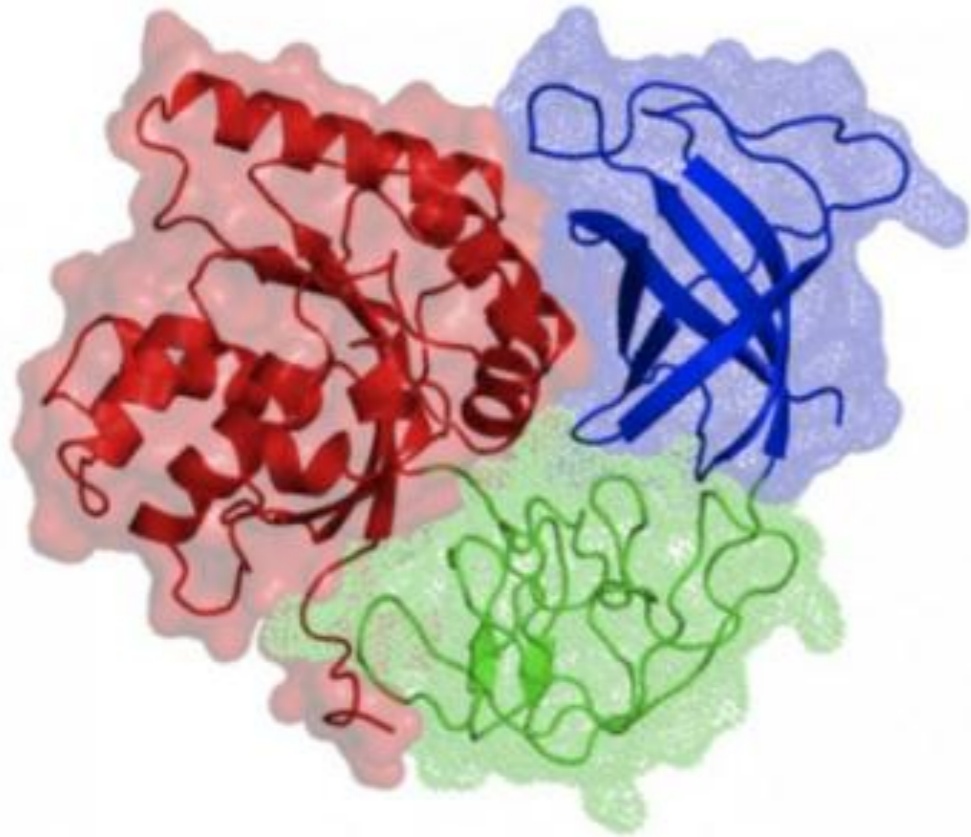
**Algorithm**

Comparison Algorithm

**Statistical Significance**

Score

# Level of Comparison

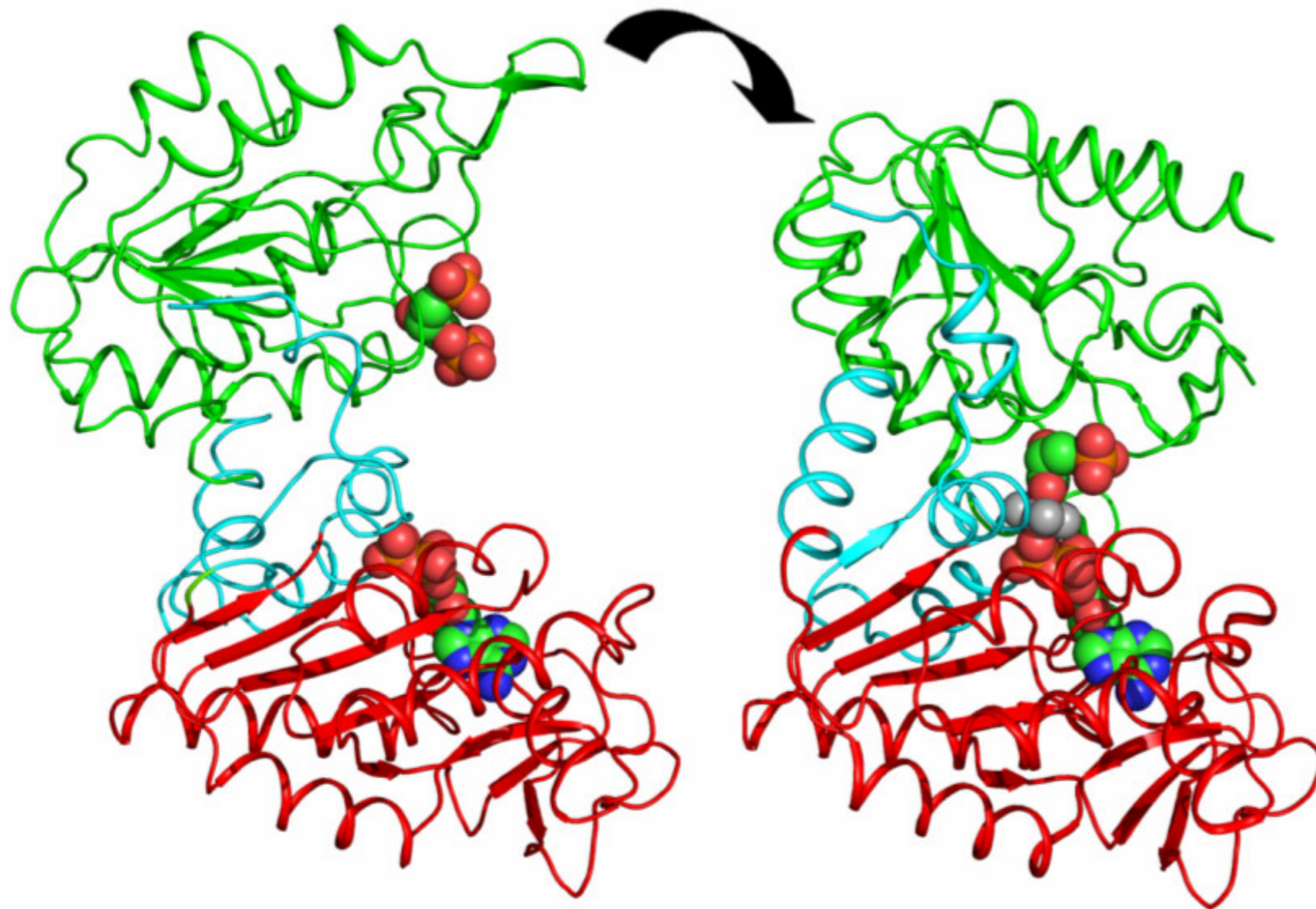


Three domains of *Thermus aquaticus* elongation factor EF-Tu:  
in blue (all- $\beta$ ), red ( $\alpha/\beta$ ) and green (all- $\beta$ ).

**Structural domains** (the units of fold) are **independently stable tertiary structures** of proteins. They are distinct functional and/or structural units and can **evolve, exist and function independently**. Therefore, the same domain can be a part of different protein (EBI on-line course)

The definition of domain is often heuristic and questionable. The independent evolution/existence and functionality is rarely experimentally tested.

# Multi Domain Alignment



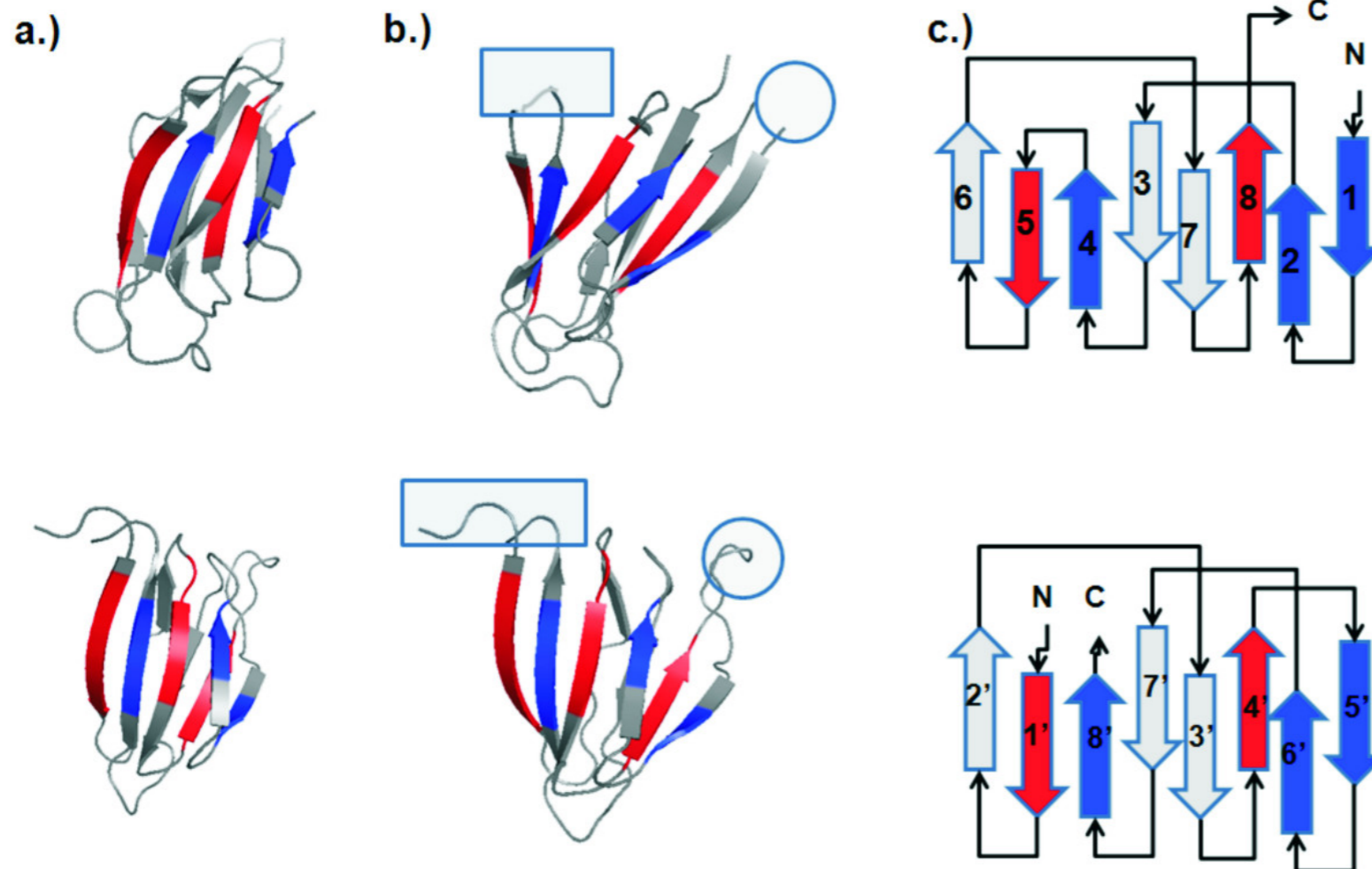
Domain movements in PGK catalysis. The fully-open resting state of the enzyme defined by refinement against SAXS data (left) binds the substrates 13BPG in the N domain (green) and ADP in the C-domain (red).

A rotation of  $\sim 56^\circ$  of the hinge region (blue) brings the substrates together to initialise catalysis and ATP production (right).



# Topology Independent Alignments

Most protein structural alignment methods can reliably **classify proteins into similar folds given the structural units from each protein are in the same sequential order**. However, the evolutionary possibility of **proteins with different structural topology but with similar spatial arrangement** of their secondary structures pose a problem.



Nucleoplasmin-core (1k5j, chain E, top panel), and the fragment of residues 37–127 of auxin binding protein 1 (1l1h, chain A, bottom panel). a) These two proteins superimpose well spatially, with an RMSD value of 1.36Å for an alignment length of 68 residues.

# Structural Alignment Tools

There are **several well-documented, easy to use software packages** for structural alignment. More than 100 are reported on wikipedia.

NAME	Description	Class	Type	Flexible	Link	Author	Year
<a href="#">MAMMOTH</a>	<b>MA</b> tching <b>M</b> olecular <b>M</b> odels <b>O</b> btained from <b>T</b> heory	Ca	Pair	No	<a href="#">server</a> <a href="#">download</a>	CEM Strauss & AR Ortiz	2002
<a href="#">CE</a>	<b>C</b> ombinatorial <b>E</b> xtension	Ca	Pair	No	<a href="#">server</a>	I. Shindyalov	2000
<a href="#">CE-MC</a>	<b>C</b> ombinatorial <b>E</b> xtension- <b>M</b> onte <b>C</b> arlo	Ca	Multi	No	<a href="#">server</a>	C. Guda	2004
<a href="#">DaliLite</a>	<b>D</b> istance Matrix <b>A</b> lignment	C-Map	Pair	No	<a href="#">server</a>	L. Holm	1993
<a href="#">TM-align</a>	<b>TM</b> -score based protein structure <b>a</b> lignment	Ca	Pair	nil	<a href="#">server and download</a>	Y. Zhang & J. Skolnick	2005
<a href="#">VAST</a>	<b>V</b> ector <b>A</b> lignment <b>S</b> earch <b>T</b> ool	SSE	Pair	nil	<a href="#">server</a>	S. Bryant	1996
<a href="#">PrISM</a>	<b>P</b> rotein <b>I</b> nformatics <b>S</b> ystems for <b>M</b> odeling	SSE	Multi	nil	<a href="#">server</a>	B. Honig	2000
<a href="#">SSAP</a>	<b>S</b> equential <b>S</b> tructure <b>A</b> lignment <b>P</b> rogram	SSE	Multi	No	<a href="#">server</a>	C. Orengo & W. Taylor	1989
<a href="#">SARF2</a>	<b>S</b> patial <b>A</b> rrangements of Backbone <b>F</b> ragments	SSE	Pair	nil	<a href="#">server</a>	N. Alexandrov	1996
<a href="#">KENOBI/K2</a>	NA	SSE	Pair	nil	<a href="#">server</a>	Z. Weng	2000
<a href="#">STAMP</a>	<b>S</b> Tructural <b>A</b> lignment of <b>M</b> ultiple <b>P</b> roteins	Ca	Multi	No	<a href="#">site</a> <a href="#">server</a>	R. Russell & G. Barton	1992

[https://en.wikipedia.org/wiki/Structural\\_alignment\\_software](https://en.wikipedia.org/wiki/Structural_alignment_software)

# Method Classification

## Type

Pair Pairwise Alignment (2 structures only);

Multi Multiple Structure Alignment;

## Class

Ca Backbone Atom (Ca) Alignment;

All Atoms Alignment;

SSE Secondary Structure Elements Alignment;

Seq Sequence-based alignment

C-Map Contact Map

Surf Connolly Molecular Surface Alignment

SASA Solvent Accessible Surface Area

Dihed Dihedral Backbone Angles

PB Protein Blocks

**Protein descriptors**

## Flexible

No Only rigid-body transformations are considered between the structures being compared.

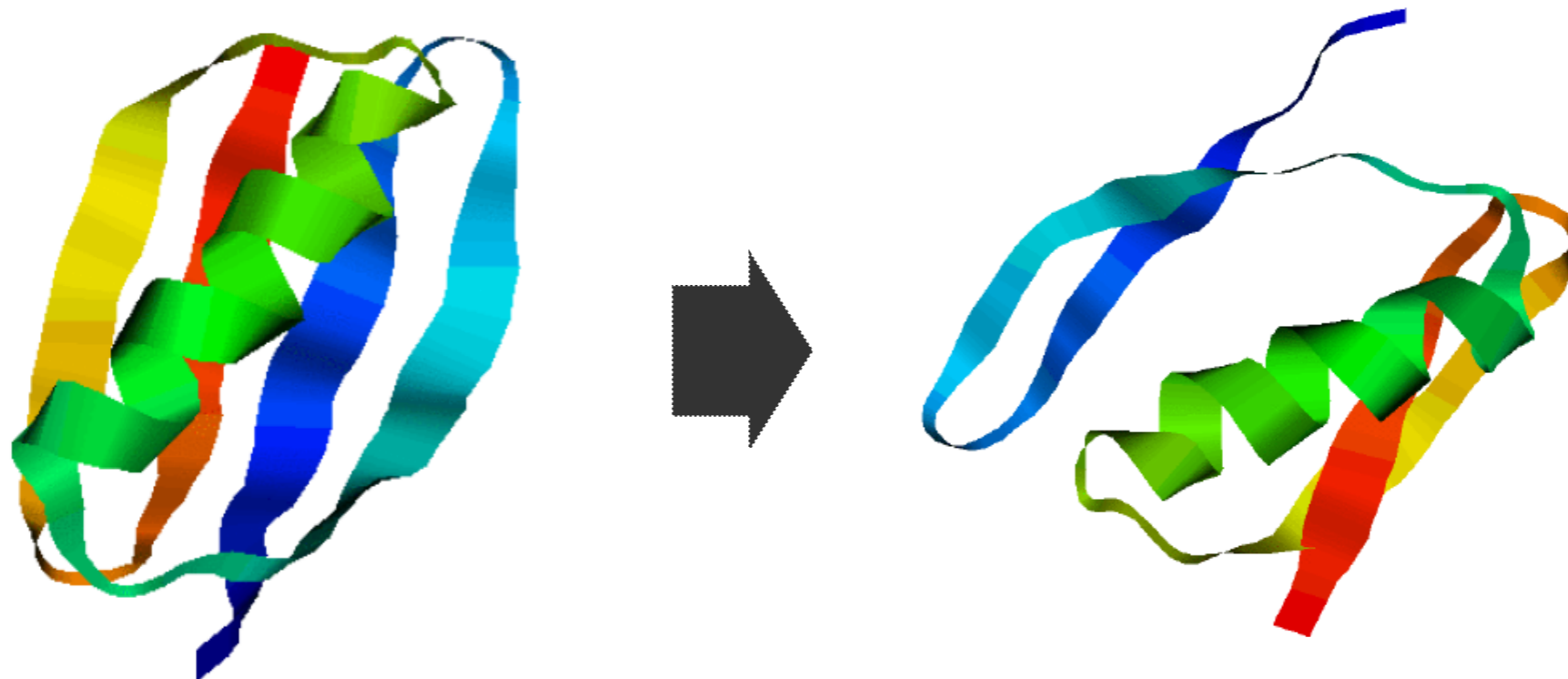
Yes The method allows for some flexibility within the structures being compared, such as movements around hinge regions.

# Comparing Torsion Angles

**Torsion Angles ( $\Phi, \Psi$ ) are:**

- local by nature
- invariant upon rotation and translation of the molecule
- compact - complexity  $O(n)$

Good for alignment of local region but possible problems on the alignment of the whole structure.



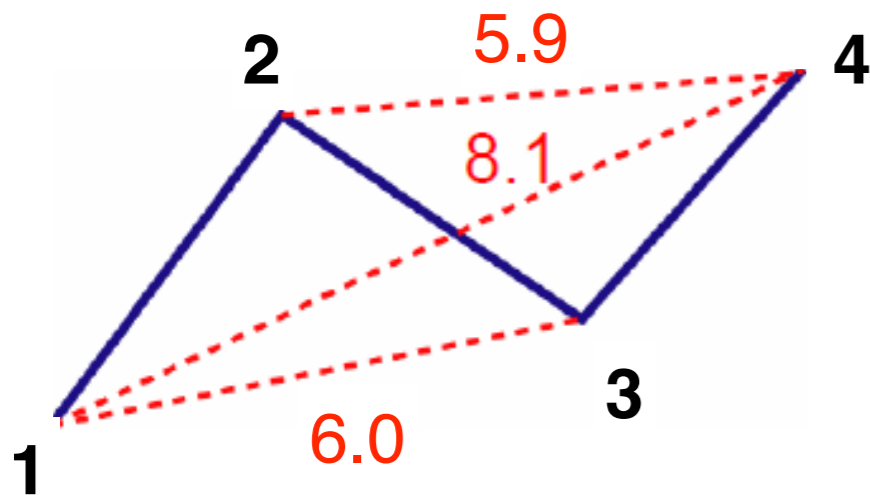
# Distance Matrix

## Advantage:

- invariant upon rotation and translation of the molecule
- can be used for protein comparison

## Disadvantages

- Comparing matrices is an hard computational problem
- Complexity is  $O(n^2)$  where  $n$  represents the number of residues
- Insensitive to chirality



	1	2	3	4
1	0.0	3.8	6.0	8.1
2	3.8	0.0	3.8	5.9
3	6.0	3.8	0.0	3.8
4	8.1	5.9	3.8	0.0

# Structural Alignment Components

## Input & output of alignment algorithm

**Input:** two proteins:  $A = \{a_1, \dots, a_m\}$   $B = \{b_1, \dots, b_n\}$

**Output:** An alignment and scores  
 $L(A, B) = \{(a_{i_1}, b_{j_1}), \dots, (a_{i_L}, b_{j_L})\},$   
 $i_1 < i_2 < \dots < i_L, j_1 < j_2 < \dots < j_L$

**Constraints:**

min rmsd:

max L

min Gaps

$$rmsd = \min_T \sqrt{\frac{\sum_{k=1}^L (a_{i_k} - T b_{j_k})^2}{L}}$$

$$Gaps = \sum_{t=1}^{L-1} [(i_{t+1} - i_t - 1) + (j_{t+1} - j_t - 1)]$$

Dynamic programming, Integer programming, Monte Carlo...

Statistical Significance

# State of the art

- All methods can **identify obvious** similarities between two structures
- **Remote similarities are detected by a subset of methods** – different remote similarities are recognized by different methods
- Good alignments are much harder to come by
- **Speed is a serious issue** with some algorithms

# Desirable Method Features

- **Biologically meaningful alignments** not just geometrically meaningful
- **Complete database** of all alignments
- Ability to **apply to structures not in the PDB**



# CE Algorithm

- Compare octameric fragments – an aligned fragment pair (AFP) (local alignments)
- Stitch together AFPs
- Find the optimal path through the AFPs
- Optimize the alignment through dynamic programming
- Measure the statistical significance of the alignment

# Constrain the search

The alignment between two proteins A and B is the longest continuous path  $P$  of AFPs of size  $m$  in a similarity matrix

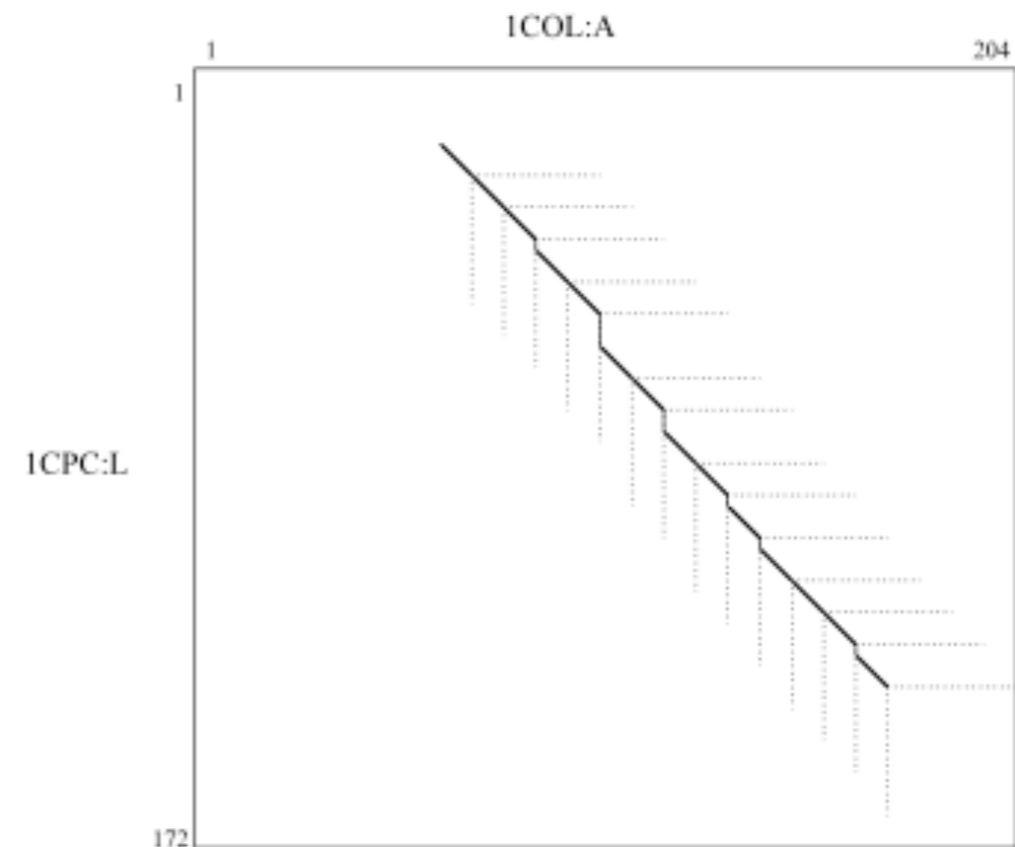
Similarity Matrix  $S$  represents all AFPs conforming to some similarity criterion (e.g., low RMSD):

$$S = (n_A - m + 1) \times (n_B - m + 1)$$

$m$  = Length of AFP

$n_A$  = Length of protein A

$n_B$  = Length of protein B



This is very large to compute – constraints are needed

# Path Definition

$p_i^A$  = AFPs starting residue position in protein A at the  $i$ -th position of the alignment path

$m$  = longest continual path – set as 8

One of the conditions (1)-(3) should be satisfied for 2 consecutive AFPs  $i$  and  $i+1$  in the path

(1) = 2 consecutive AFPs aligned without gaps

(2) = Two consecutive AFPs with a gap in protein A

(3) = Two consecutive AFPs with a gap in protein B

$$\text{or} \quad p_{i+1}^A = p_i^A + m \text{ and } p_{i+1}^B = p_i^B + m \quad (1)$$

$$\text{or} \quad p_{i+1}^A > p_i^A + m \text{ and } p_{i+1}^B = p_i^B + m \quad (2)$$

$$\text{or} \quad p_{i+1}^A = p_i^A + m \text{ and } p_{i+1}^B > p_i^B + m \quad (3)$$

# Extension of the Path

Gap sizes are limited to  $G$  – heuristically set as 30 residues

$$p_{i+1}^A \leq p_i^A + m + G \quad (4)$$

$$p_{i+1}^B \leq p_i^B + m + G \quad (5)$$

# Similarity Measures

1. RMSD from least squares superposition used to select few best fragments

2. Full set of inter-residue distances used for a scoring single AFP

3. Distance calculated from independent set of inter-residue distances where each distance is used only once used for combinations of 2 AFPs

$$D_{ij} = \frac{1}{m^2} \left( \sum_{k=0}^{m-1} \sum_{l=0}^{m-1} \left| d_{p_i^A+k, p_j^A+l}^A - d_{p_i^B+k, p_j^B+l}^B \right| \right) \quad (7)$$

$$D_{ij} = \frac{1}{m} \left( \left| d_{p_i^A, p_i^A}^A - d_{p_i^B, p_i^B}^B \right| + \left| d_{p_i^A+m-1, p_j^A+m-1}^A - d_{p_i^B+m-1, p_j^B+m-1}^B \right| + \sum_{k=1}^{m-2} \left| d_{p_i^A+k, p_j^A+m-l-k}^A - d_{p_i^B+k, p_j^B+m-l-k}^B \right| \right) \quad (6)$$

# Statistical Evaluation

Evaluate the probability of finding an alignment path of the same length or smaller gaps and distance from a **random set of non-redundant structures**.

## Optimization:

The 20 best alignments with a Z score above 3.5 are assessed based on RMSD and the best kept. This produces approx. one error in 1000 structures

Each gap in this alignment is assessed for relocation up to  $m/2$

Iterative optimization using **dynamic programming** is performed using residues for the superimposed structures

# Limitations

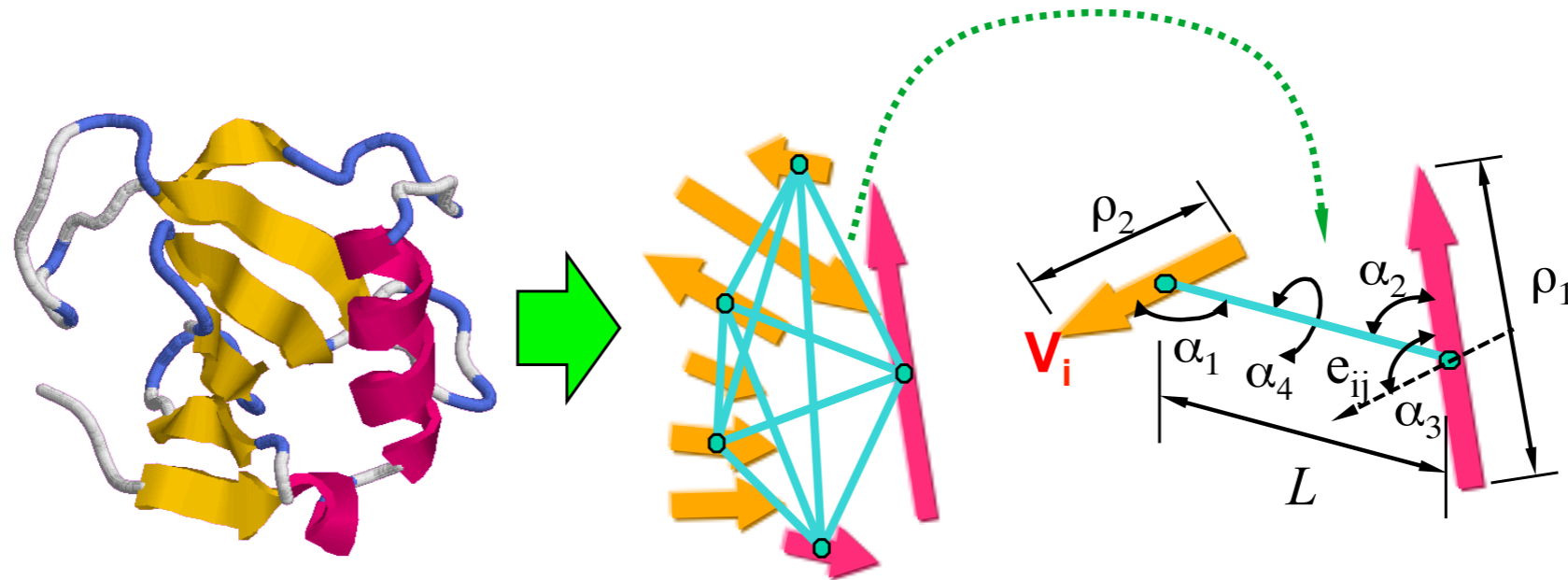
- Will not find non-topological alignments (outside the bounds of the dotted lines)
- What are the correct “units” to be comparing?
- CE initially worked on chains – as we shall see in future weeks domains are the correct units, but definition of the domains is not straightforward

# PDBe Fold

- Protein **secondary structure elements** (SSE) – natural and convenient objects for building three dimensional graphs.
- Secondary structures provide most **functionality and is conserved through evolution**
- Details of protein fold – expressed in terms of two SSE – helices and strands



# Graph Representation (I)



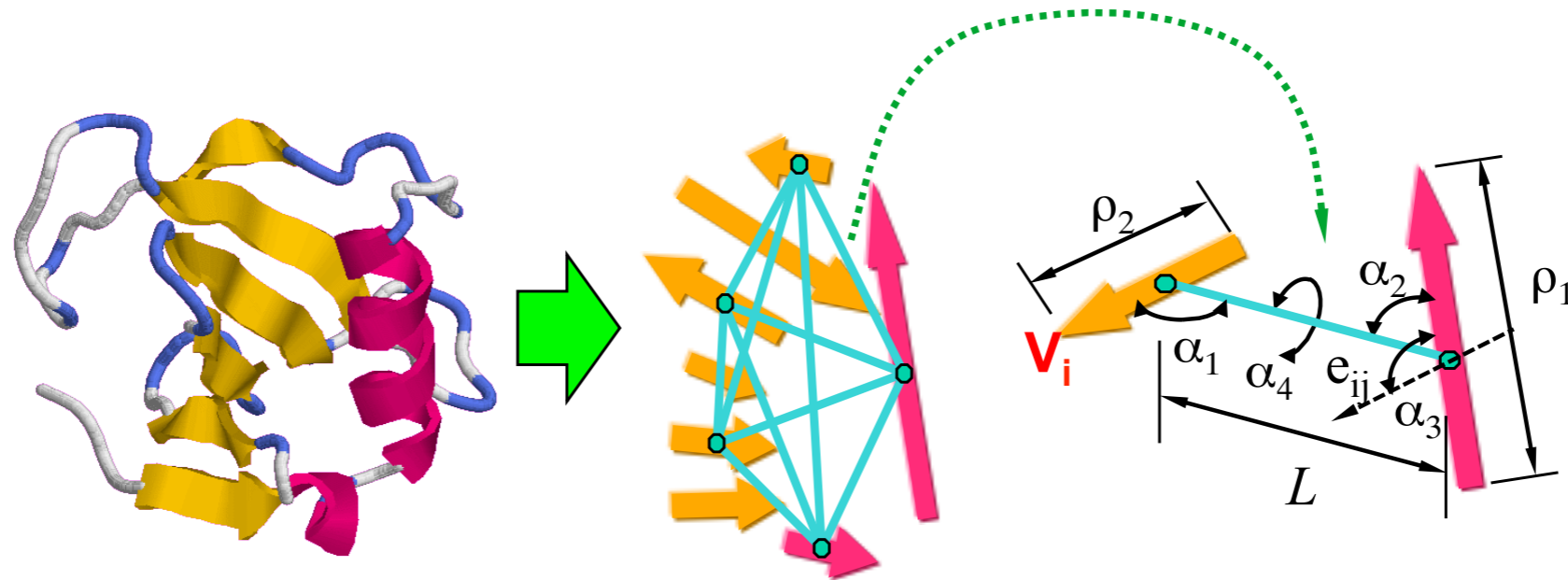
SSE graphs- represented by vectors

Each SSE can be used as graph vertices ( $T_i, \rho_i$ )

Any 2 vertices are connected by an edge label  $L$  – describes position and orientation of the connected SSEs

Each edge labelled with a property vector –  $\alpha_{1/2}$  angle between edge and vertices, torsion angle between vertices, length of the edge  $L$

# Graph Representation (II)



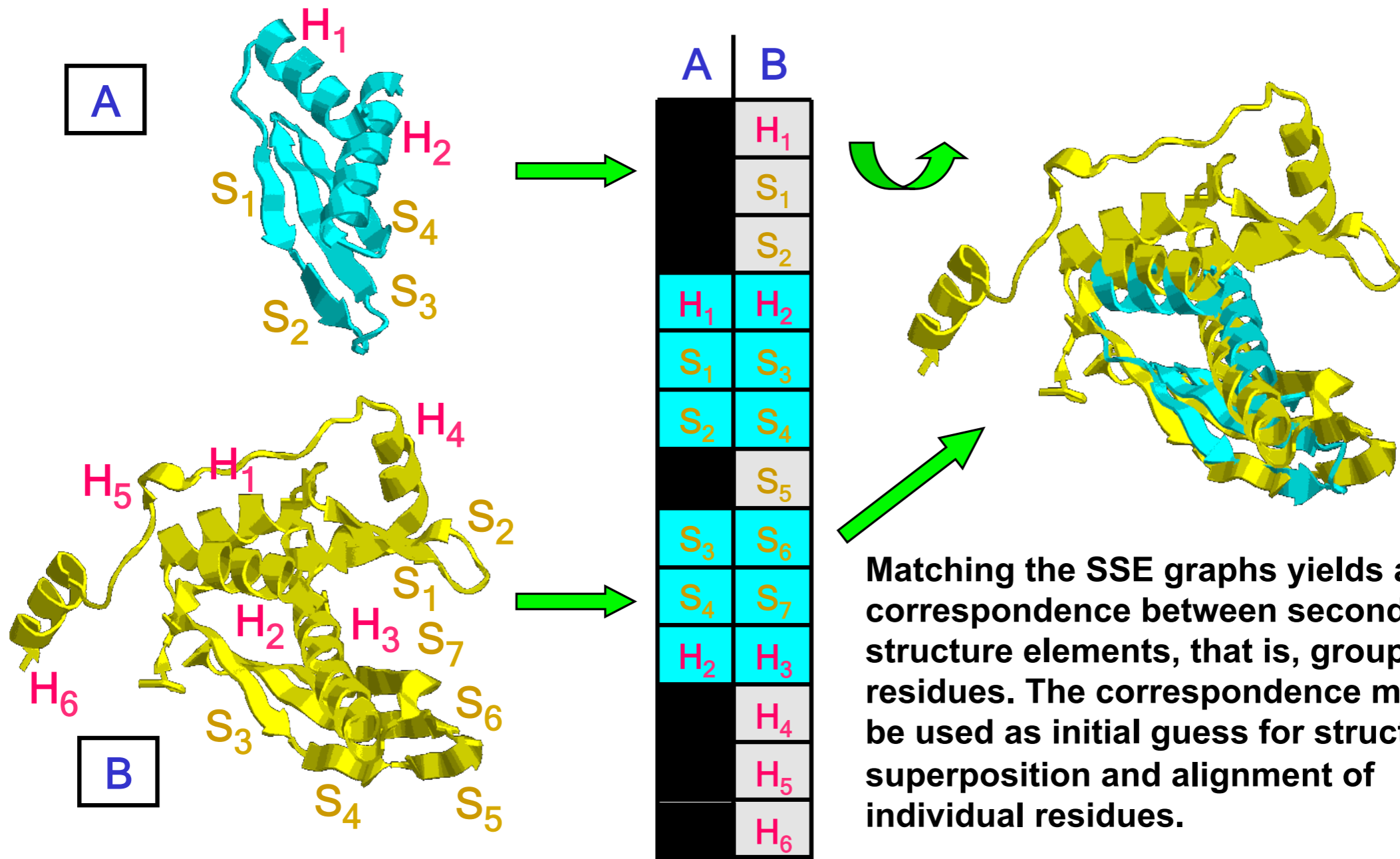
Sets of **vertices, edges and their labels** provides full definition of the graph.

Graph matching algorithm is required – set of rules for comparing individual vertices and edges – tolerances chosen empirically

Relative and absolute vertex and edge lengths are used for comparison – allows larger absolute differences for longer vertices and edges

Torsion angle comparison – distinguish mirror symmetry mates

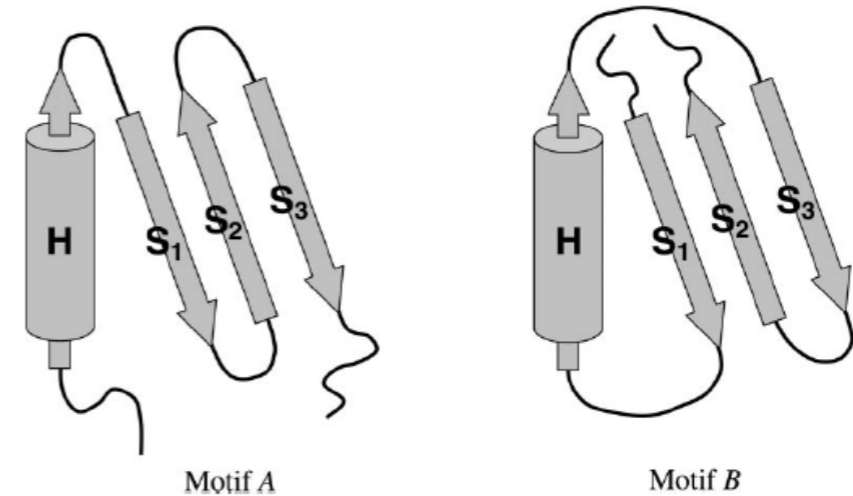
# Graph Matching



Matching the SSE graphs yields a correspondence between secondary structure elements, that is, groups of residues. The correspondence may be used as initial guess for structure superposition and alignment of individual residues.

# PDBe Fold Approaches

1) Connectivity of SSE Neglected



2) Soft connectivity – general order of SSEs along their protein chains are same in both structures BUT **any** number of missing/unmatched SSE between matched ones allowed

3) Strict connectivity – matched SSEs follow same order along their protein chains – separated only by **equal** number of matched/unmatched SSE in both structures

To obtain 3D alignment of individual residues – represent them by their C-alpha atoms – use results of graph matching as a starting point

# MAMMOTH Algorithm

The MAMMOTH (MAtching Molecular Models Obtained from Theory) algorithm is one of the fastest methods for structural alignment .

The method represents a protein structure as a set of **unit vectors** build using the vectors between C- $\alpha$  atoms.

MAMMOTH uses a **dynamic programming algorithm** to find the best alignment between two protein structure.



## MAMMOTH-Mult

- MAMMOTH-mult is a multiple alignment version of MAMMOTH. It multiply aligns protein structures, providing a common 3D superimposition, a corresponding structure-based sequence alignment and a dendrogram for the set of structures aligned.
- Version: 1.0
- Free use for Educational and Research Purposes.
- [Contact](#)
- Reference: *Lupyan D, Leo-Macias A, Ortiz AR (2005) Bioinformatics (2005) 21, 3255-63*

### Align your protein against one SCOP family.

Upload the **pdb** file containing the coordinates of your protein:  No file chosen

Type the **SCOP tag** of the family you want to align your protein against (is five numbers code, e.g.: 50045)

Your **e-mail** for results to be sent back:

\*some calculations may take upto few minutes, it is recommended that you include your email!

### Align your own proteins.

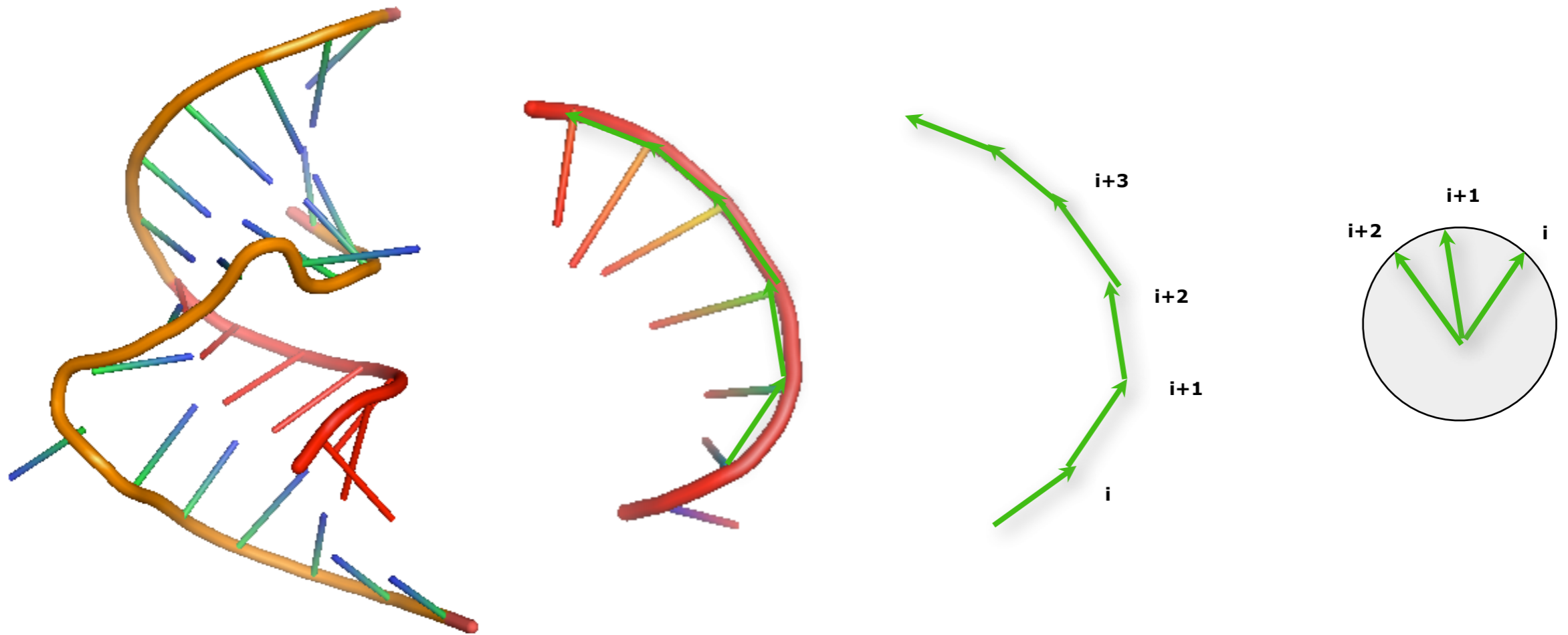
Upload your **MAMMOTH-mult** input file (See [example](#) ):  No file chosen

Your **e-mail** for results to be sent back:

\*some calculations may take upto few minutes, it is recommended that you include your email!

<https://ub.cbm.uam.es/software/online/mamothmult.php>

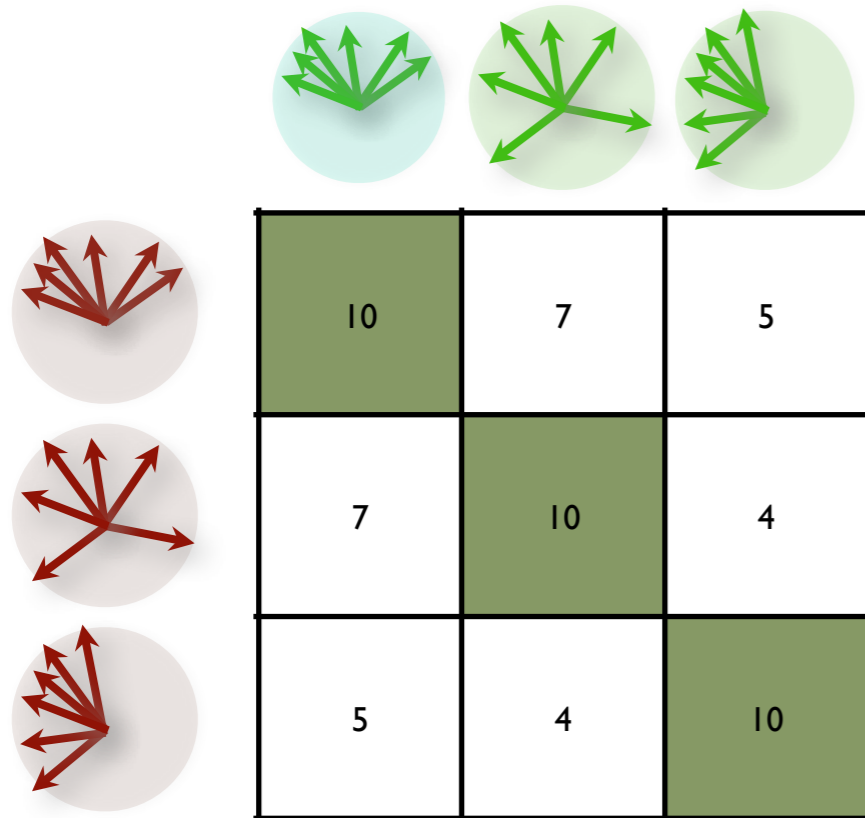
# Unit Vector Representation



A **Unit Vector** is the **normalized vector** between two successive C $\alpha$  atoms.

For each position  $i$  consider the  **$k$  consecutive vectors**, which will be mapped into a **unit sphere** representing the local structure of  $k$  residues.

# Unit Vector Scoring



$$URMS^R = \sqrt{2.0 - \frac{2.84}{\sqrt{k}}}$$

$$S_{ij} = \frac{(URMS^R - URMS^{ij})}{URMS^R} \Delta(U RMS^R, URMS^{ij})$$

$$\Delta(U RMS^R, URMS^{ij}) = 10 \Rightarrow URMS^R > URMS^{ij}$$

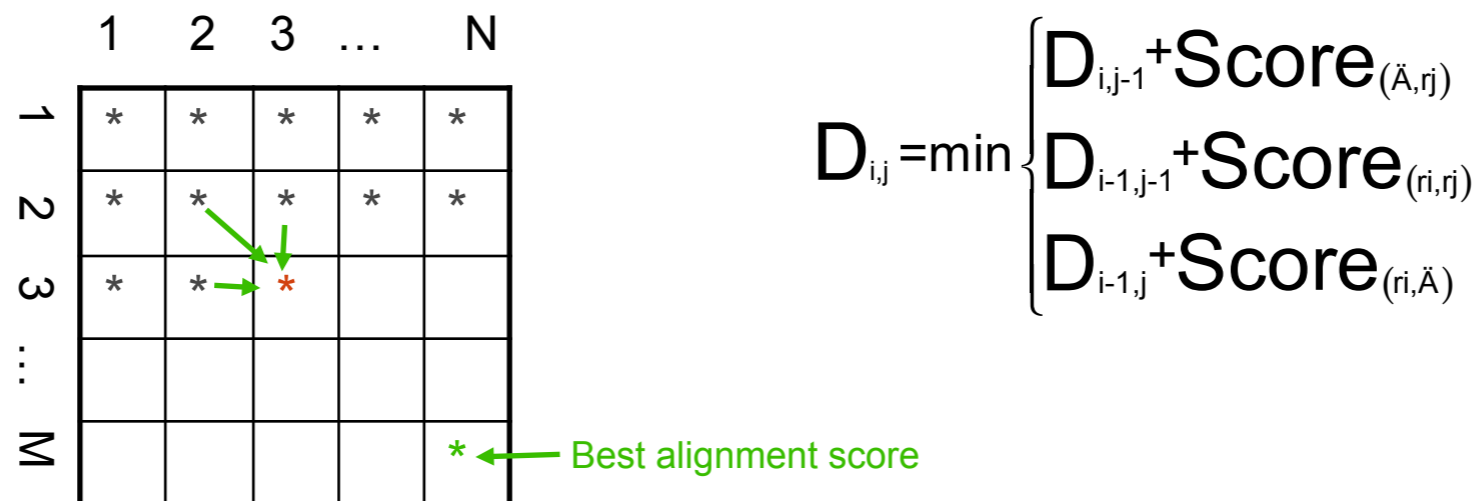
$$\Delta(U RMS^R, URMS^{ij}) = 0 \Rightarrow URMS^R \leq URMS^{ij}$$

For each position  $i$ , the  $k$  consecutive unit vectors ( $k=6$ ) are grouped and aligned to the  $j$  set of unit vectors. Each pair of aligned unit vectors will be evaluated by calculating Unit Root Mean Square distance ( $URMS^{ij}$ ).

The obtained URMS values are compared the minimum expected URMS distance between two random set of  $k$  unit vectors ( $URMS^R$ ).

The alignment score is then calculated normalizing  $URMS^{ij}$  to the  $URMS^R$  value.

# Alignment



Backtracking to get the best alignment

A **Dynamic Programming** procedure is then applied to search for the optimal structural alignment using a **global alignment with zero end gap penalties**.

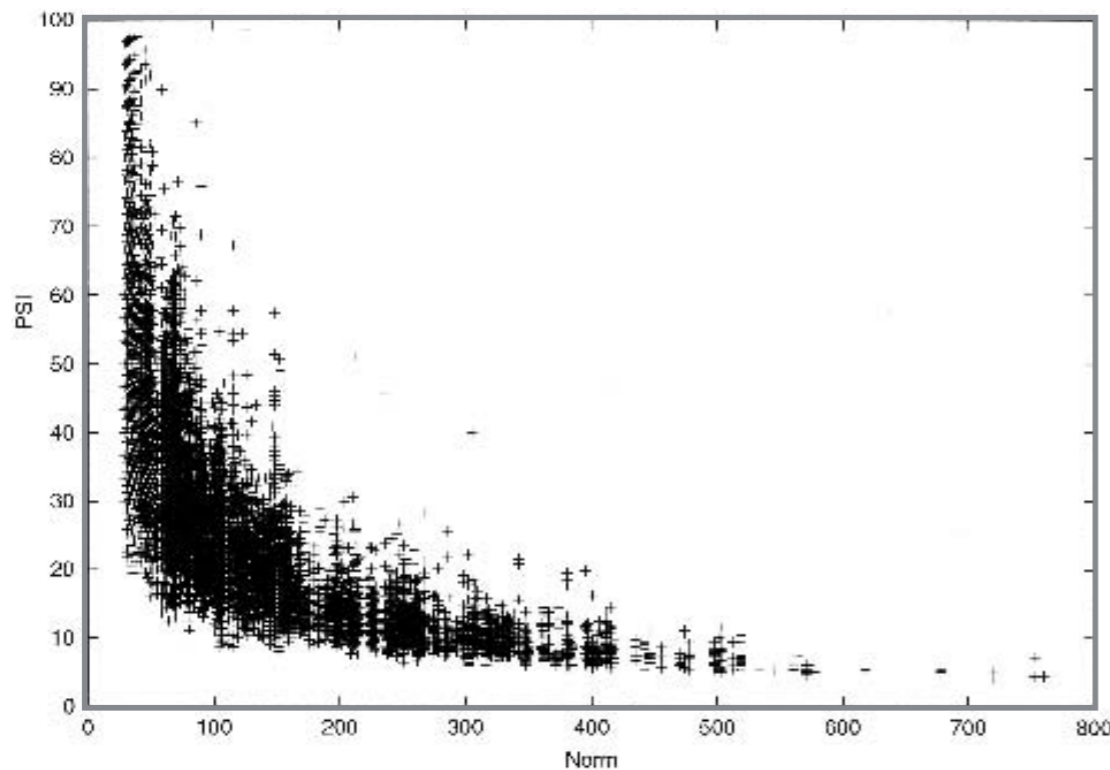
The **maximum subset of local structures** that have their corresponding **Ca** within **4.0 Å** in the space are evaluated. The number of close atoms is used to **evaluate the percentage of structural identity (PSI)** using a **variant of the MaxSub algorithm**.



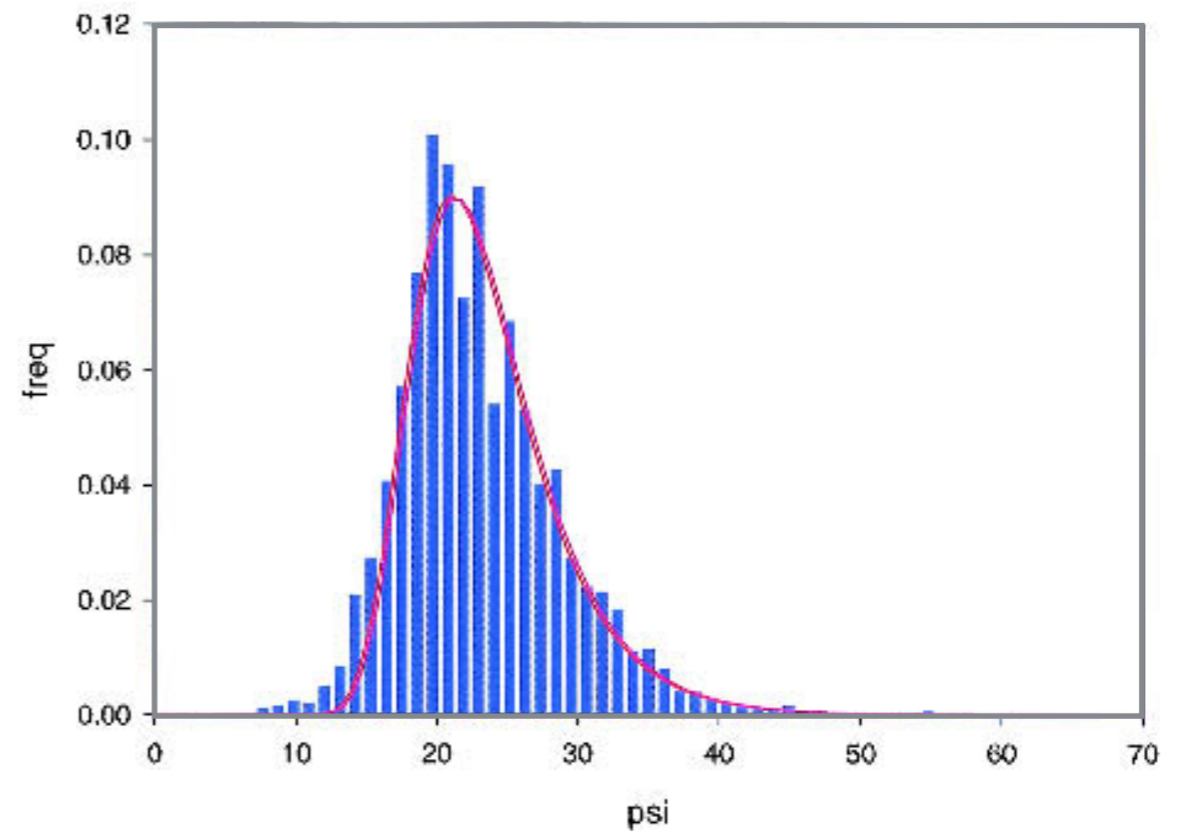
# Background Distribution

Considering a dataset of **random structures**, it is possible to produce **pairwise alignments** that resulted in an empirical distribution of scores (s). From such distribution we can then evaluate  $\mu$  and  $\sigma$  needed to calculate the p-value for  $P(s > x)$ .

Empirical



Analytic



$$P(t > x) = \int_t^{\infty} f(x) dx = 1 - e^{-e^{\frac{-(x-a)}{b}}}$$

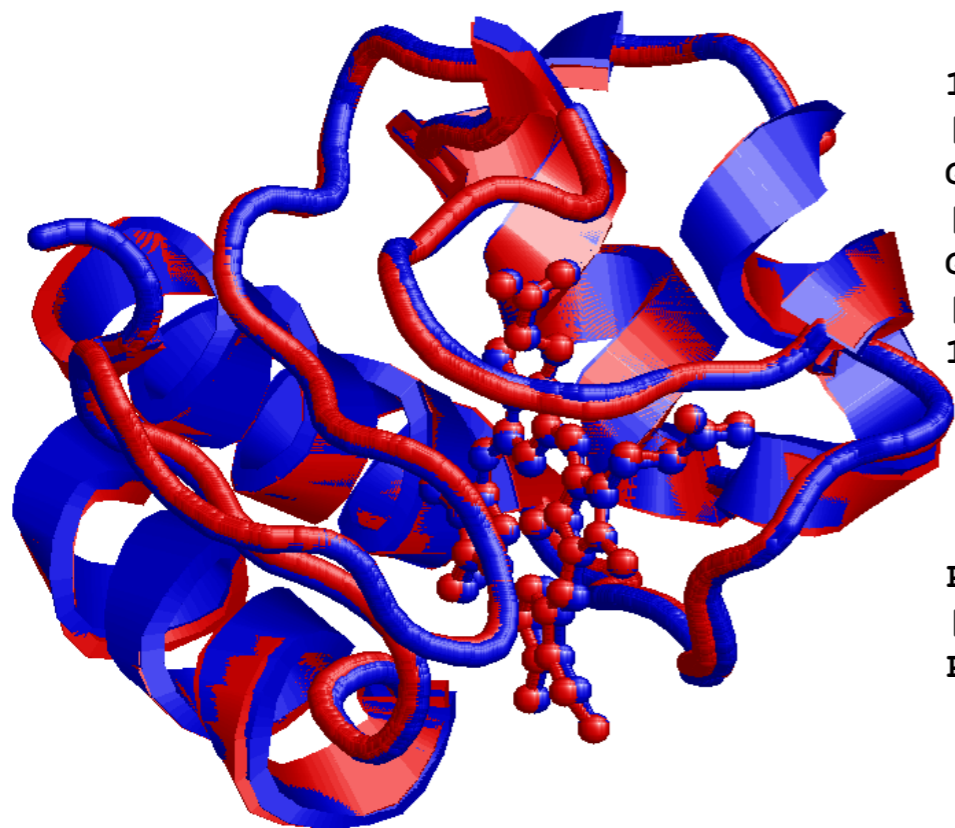
# Exercise

Build a Python script for structure superimposition using the class SVDSuperimposer from the biopython libraries.

Test the script on a group of atoms from the following structures

**Human Cytochrome C** – Uniprot:P99999. PDB: 3ZCF:A

**Equine Cytochrome C** – Uniprot: P00004. PDB 3O20:A



```

1:A              20:A              40:A              60:A
|                |                |                |                |
GDVEKGKKIFIMKCSQCHTVEKGGKHKTGPNLHGLFGRKTGQAPGYSYTAANKNKGIIWGEDTLMEYLEN
|||||:|.|||||:|.|||||:|.|||||:|.|||||:|.|||||:|.|||||:|.|||||:|.|||||:|.|||||
GDVEKGKKIFVQKCAQCHTVEKGGKHKTGPNLHGLFGRKTGQAPGFYTDANKNKGITWKEETLMEYLEN
|                |                |                |                |
1:A              20:A              40:A              60:A

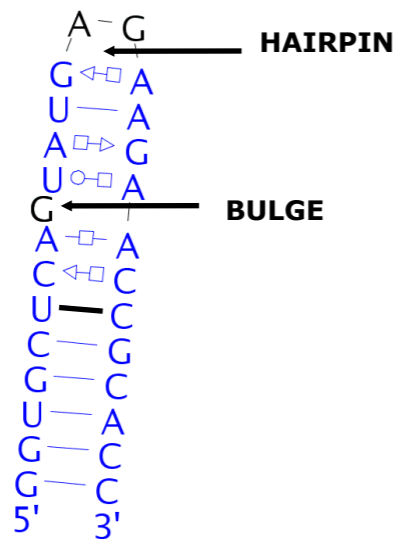
              80:A              100:A
.            |                |                |
PKKYIPGTKMIFVGIKKKEERADLIAYLKKEATNE
|||||:|.|||||:|.|||||:|.|||||:|.|||||:|.|||||:|.|||||:|.|||||:|.|||||
PKKYIPGTKMIFAGIKKTEREDLIAYLKKEATNE
.            |                |                |
              80:A              100:A

```

# RNA structure

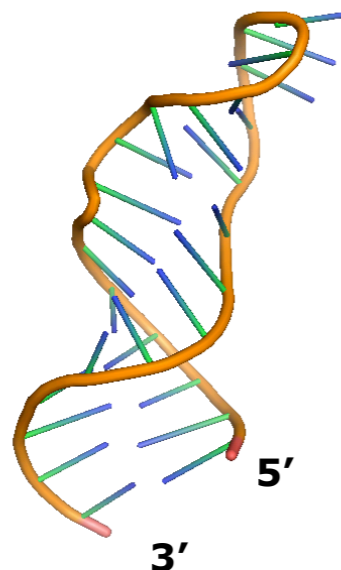
## Primary Structure

>Mutant Rat 28S rRNA sarcin/ricin domain  
GGUGCUCAGUAUGAGAAGAACCGCACC



## Secondary Structure

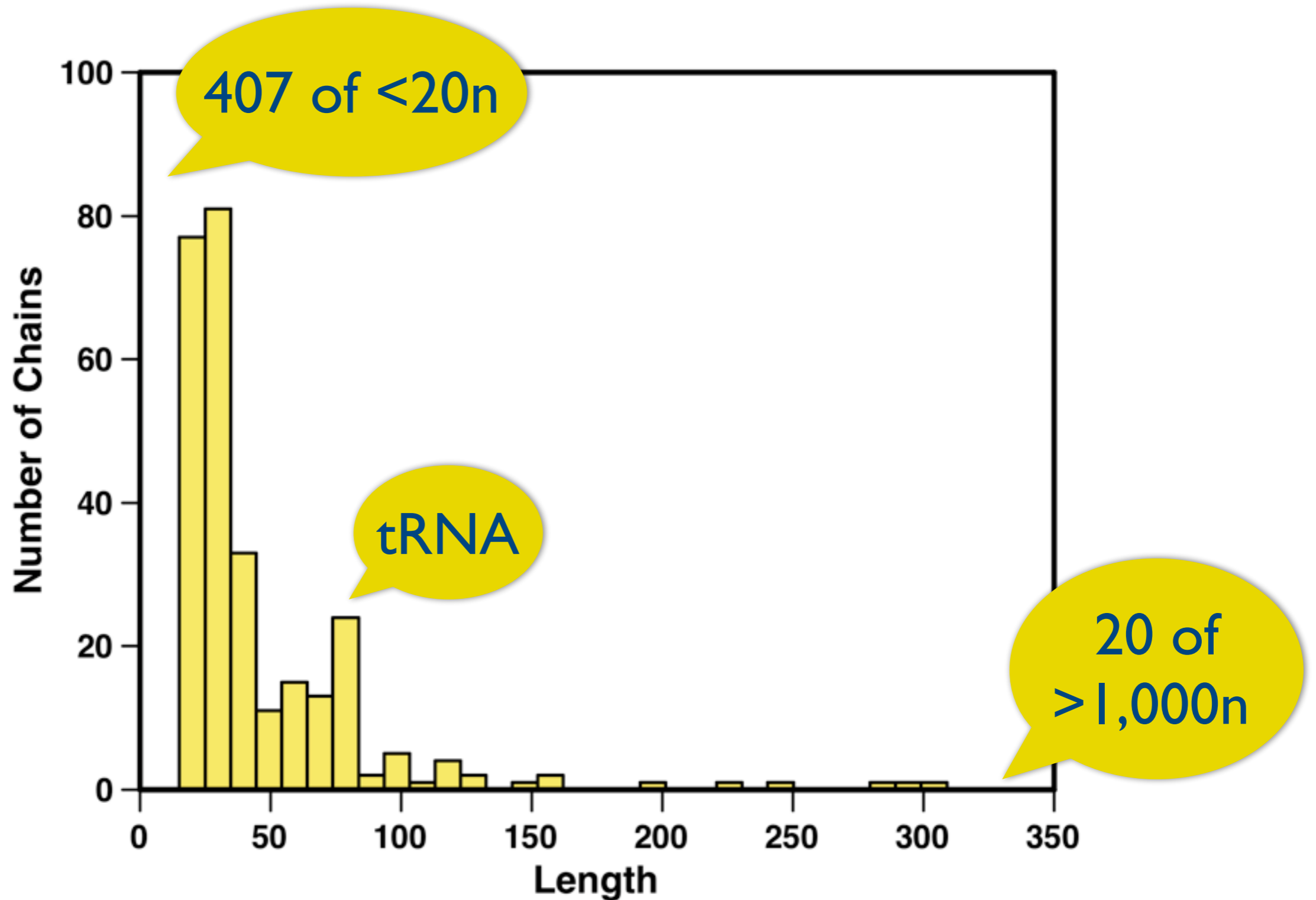
>Mutant Rat 28S rRNA sarcin/ricin domain  
GGUGCUCAGUAUGAGAAGAACCGCACC  
(((((((((. ((((. . )))))))



## Tertiary Structure

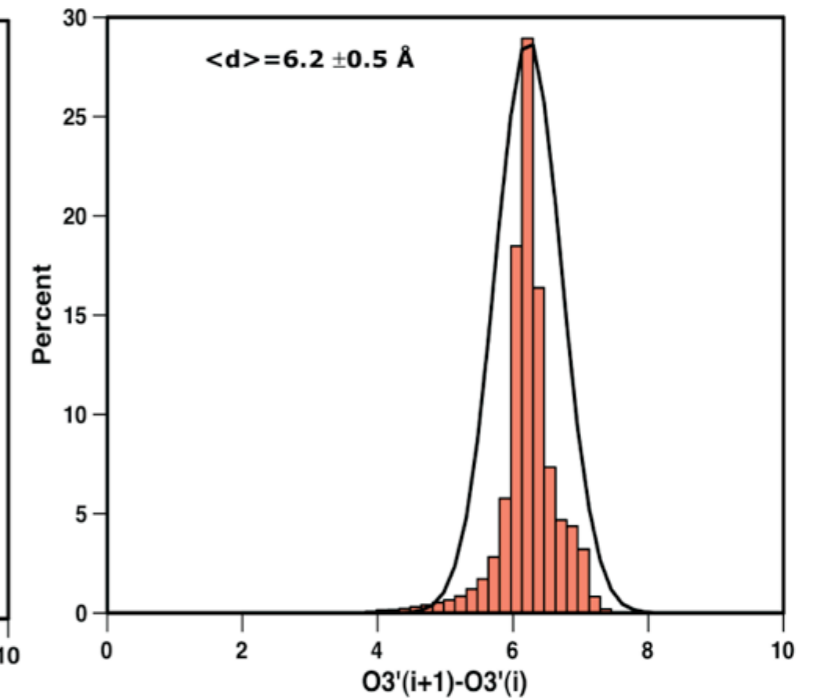
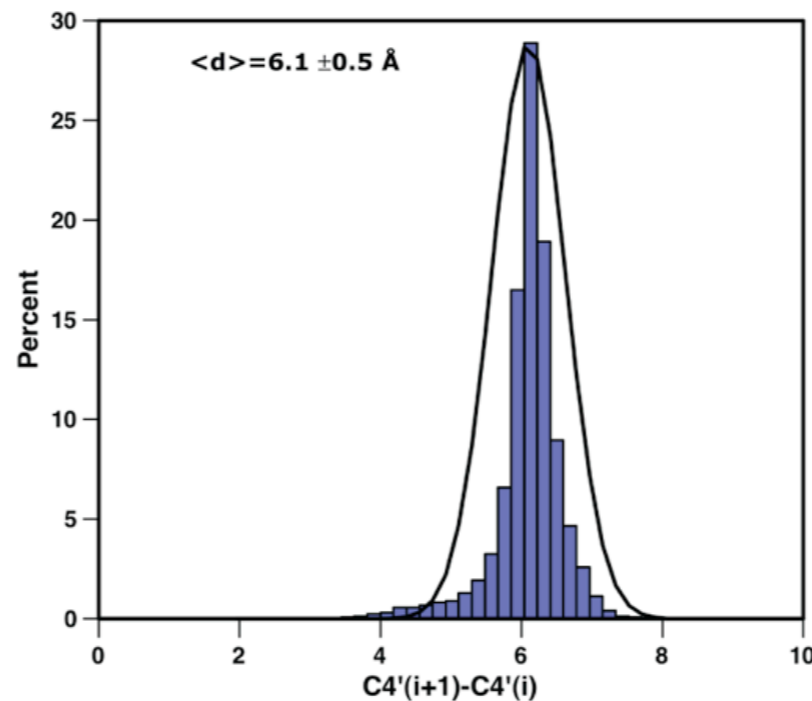
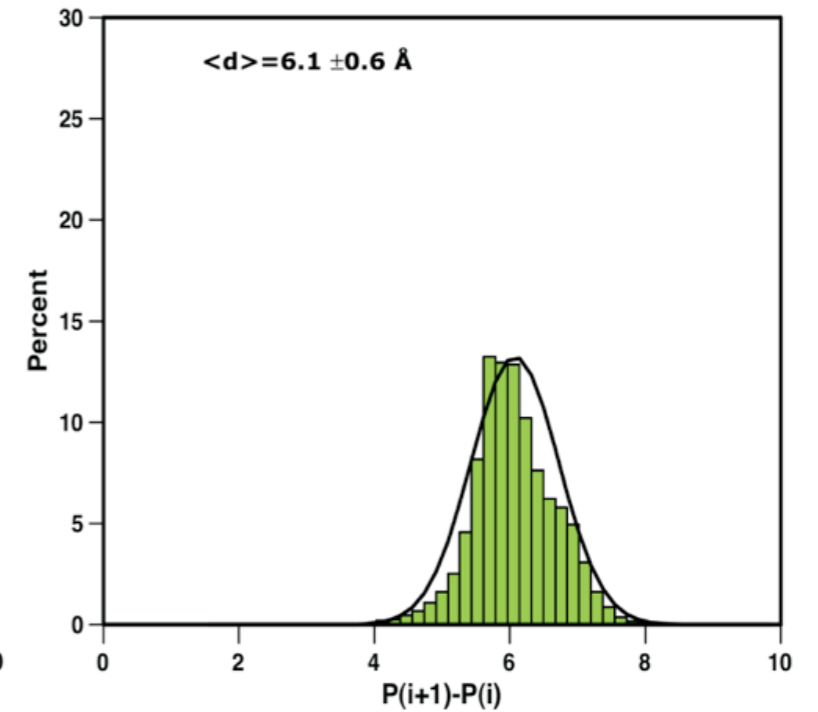
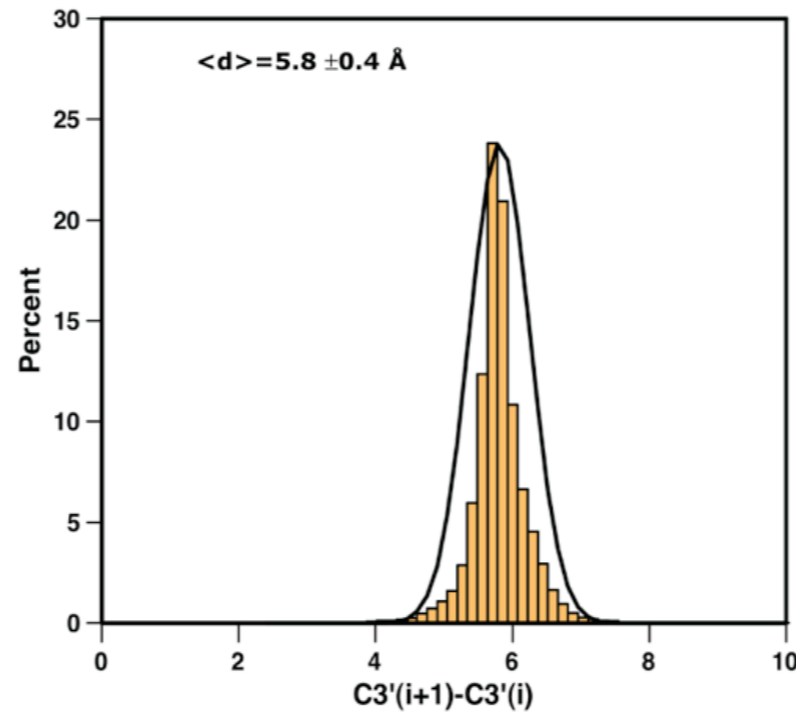
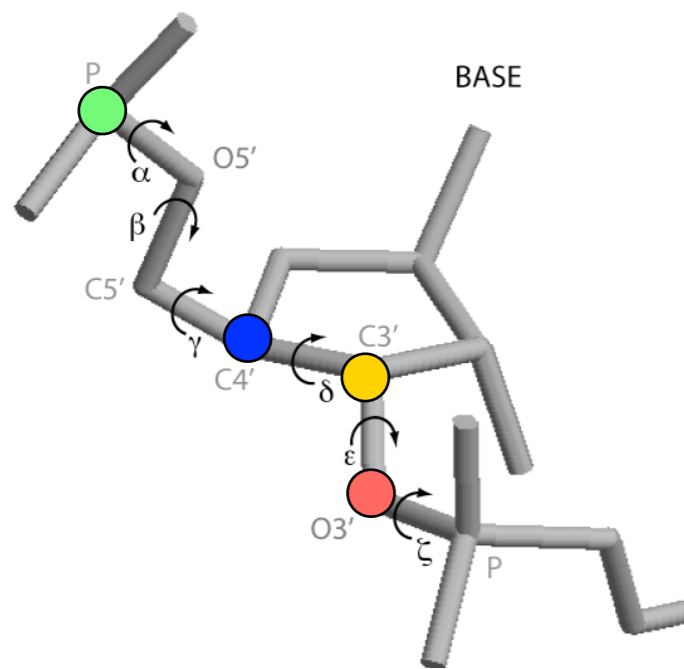
Secondary structure interactions and other interactions such as pseudoknots, hairpin-hairpin interactions, etc.

# Dataset distribution



# Atom selection

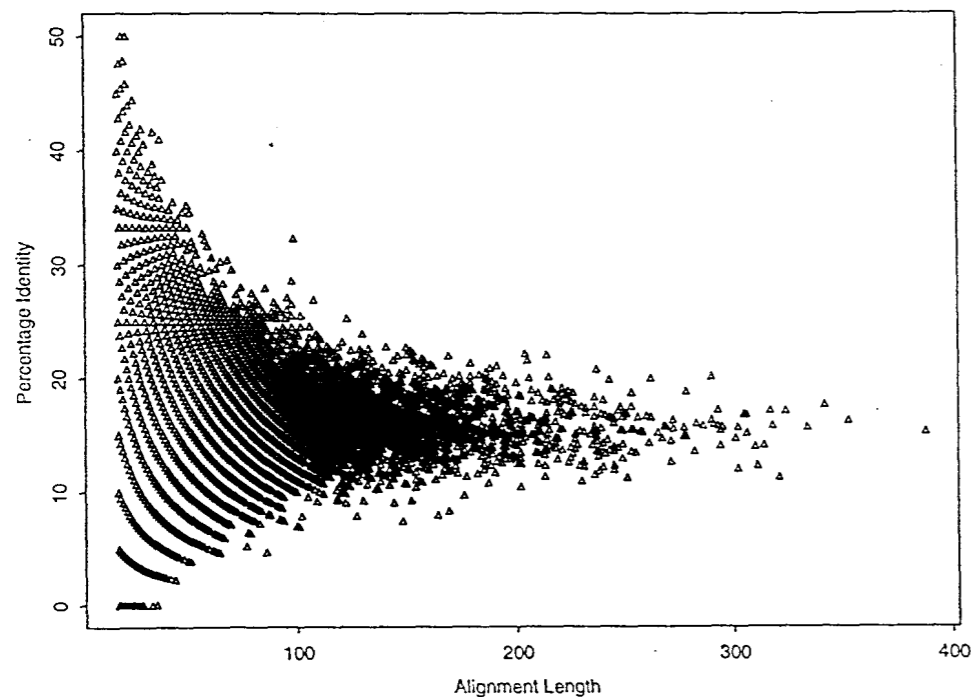
The **best backbone atom** that represents the RNA structure has been **selected by evaluating the distribution of the distances** between consecutive atoms in structures from the NR95 set.



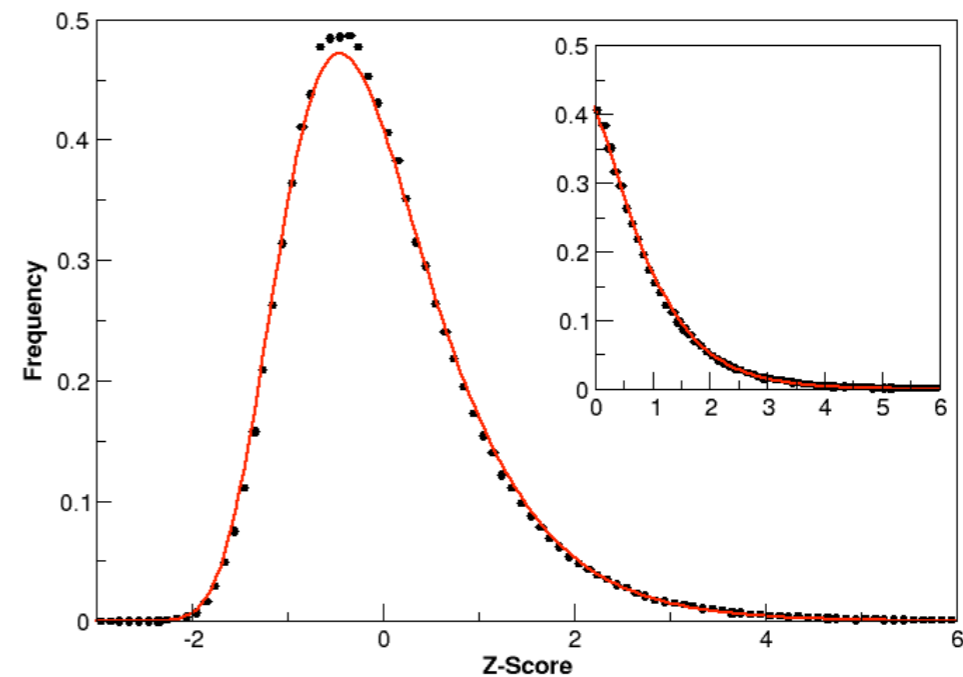
# Background distribution

Considering a dataset of **300 random RNA structures**, we have produced **~45,000 pairwise alignments** that resulted in an empirical distribution. From such distribution we can then evaluate  $\mu$  and  $\sigma$  needed to calculate the p-value for  $P(s \geq x)$ .

Empirical



Analytic



$$P(s \geq x) = 1 - \exp(-e^{-\lambda(s-\mu)})$$

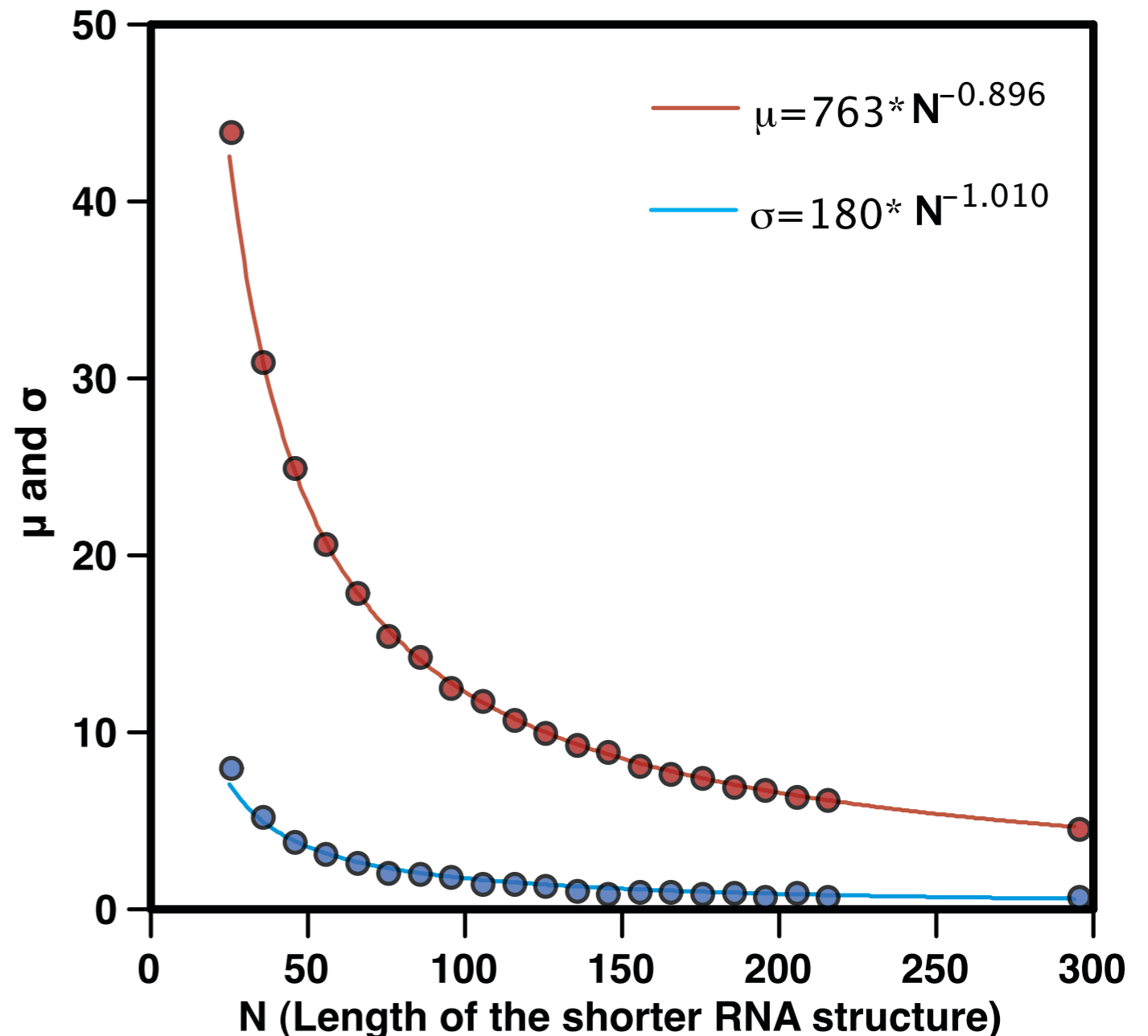
# Mean and sigma

The score distribution depends on the length of the molecule.

We divided the resulting structural alignments (~45,000) in 30 bins according to the minimum sequence length of the two random structures ( $N$ ).

For each bin the  $\mu$  and  $\sigma$  values are evaluated fitting the data to an EVD.

The **relations between  $N$  and  $\mu$ ,  $\sigma$**  values are extrapolate fitting them to a **power low function** ( $r \approx 0.99$ ).



# Optimization

The accuracy of SARA method depends of a large number of parameters.

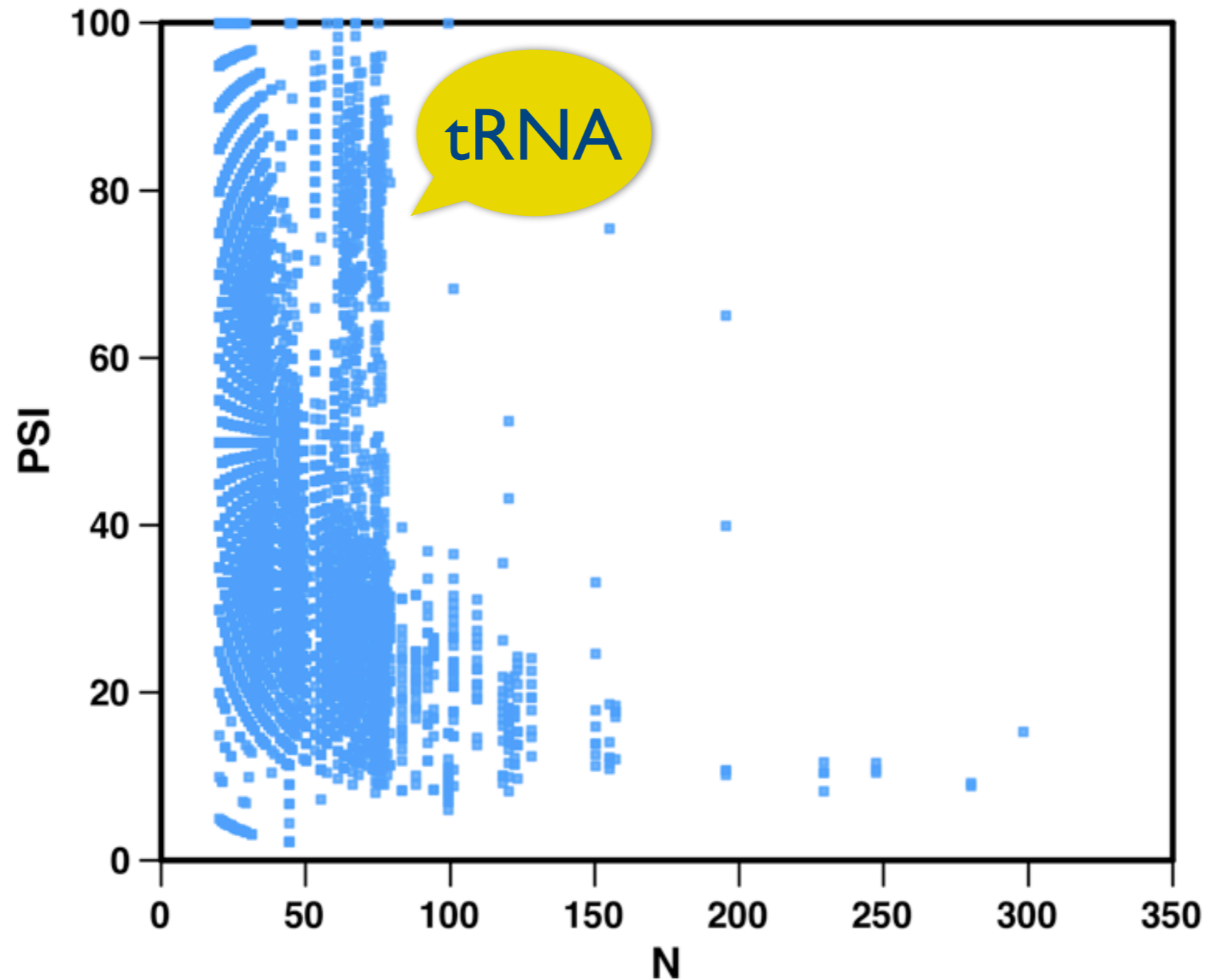
- C3' and P backbone atoms for the unit vectors evaluation,
- k number of consecutive unit vectors, spamming from 3 to 9 and,
- values of gap opening from -9 to 0 and gap extension for -0.8 to 0
- Secondary structure information

	Gap opening	Gap extension	<i>k</i>
Secondary structure	-7.0	-0.6	3
No secondary structure	-8.0	-0.2	7



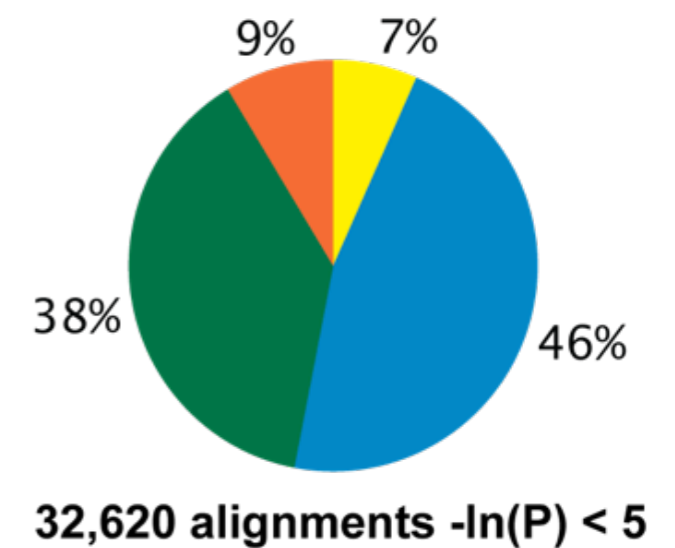
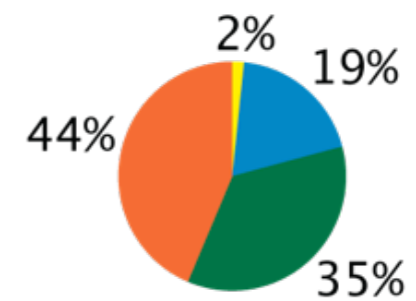
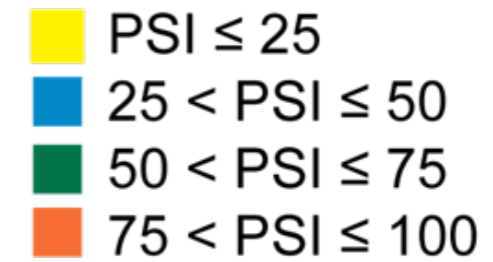
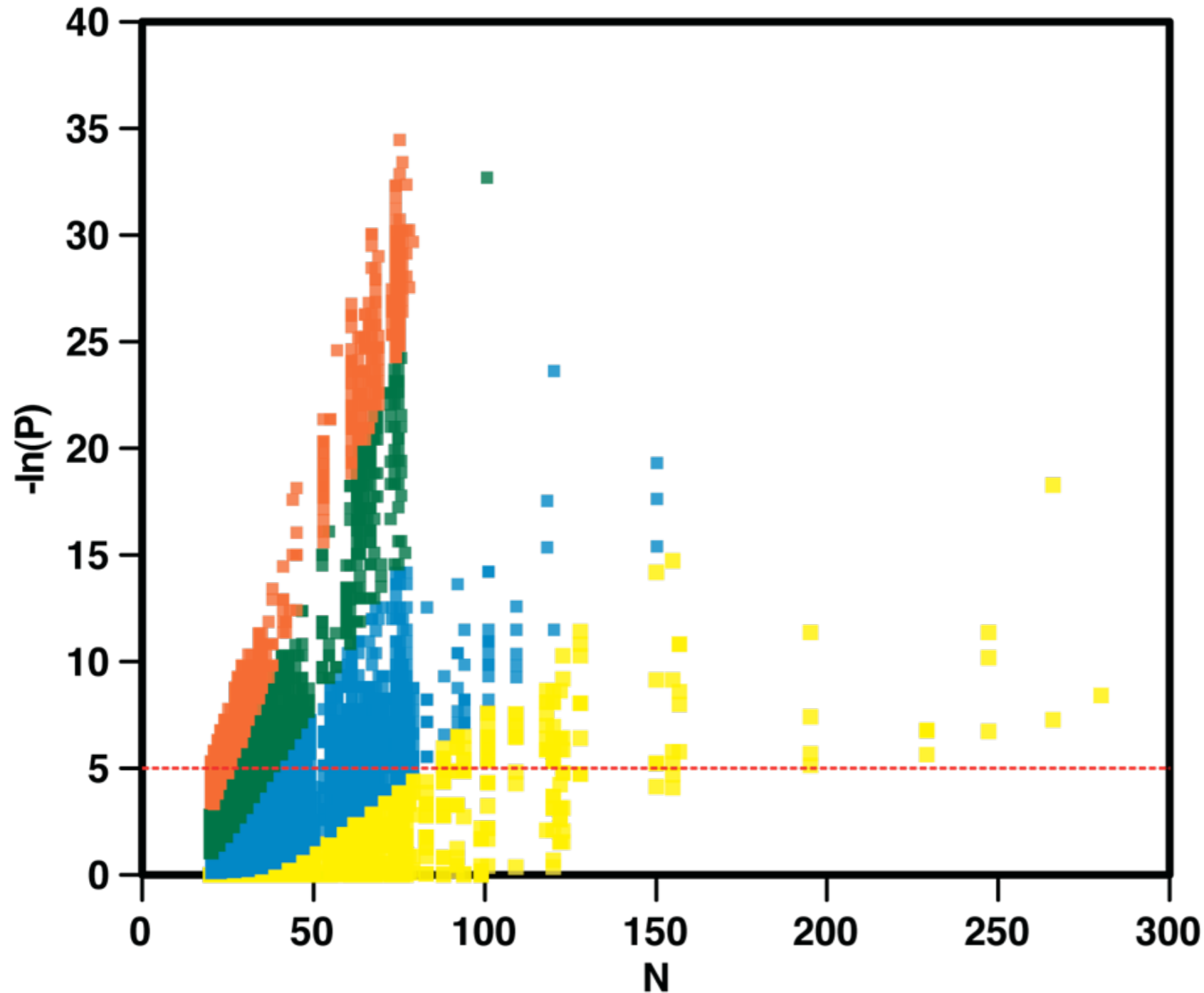
# PSI distribution

all-against-all comparison of structures in the NR95 set

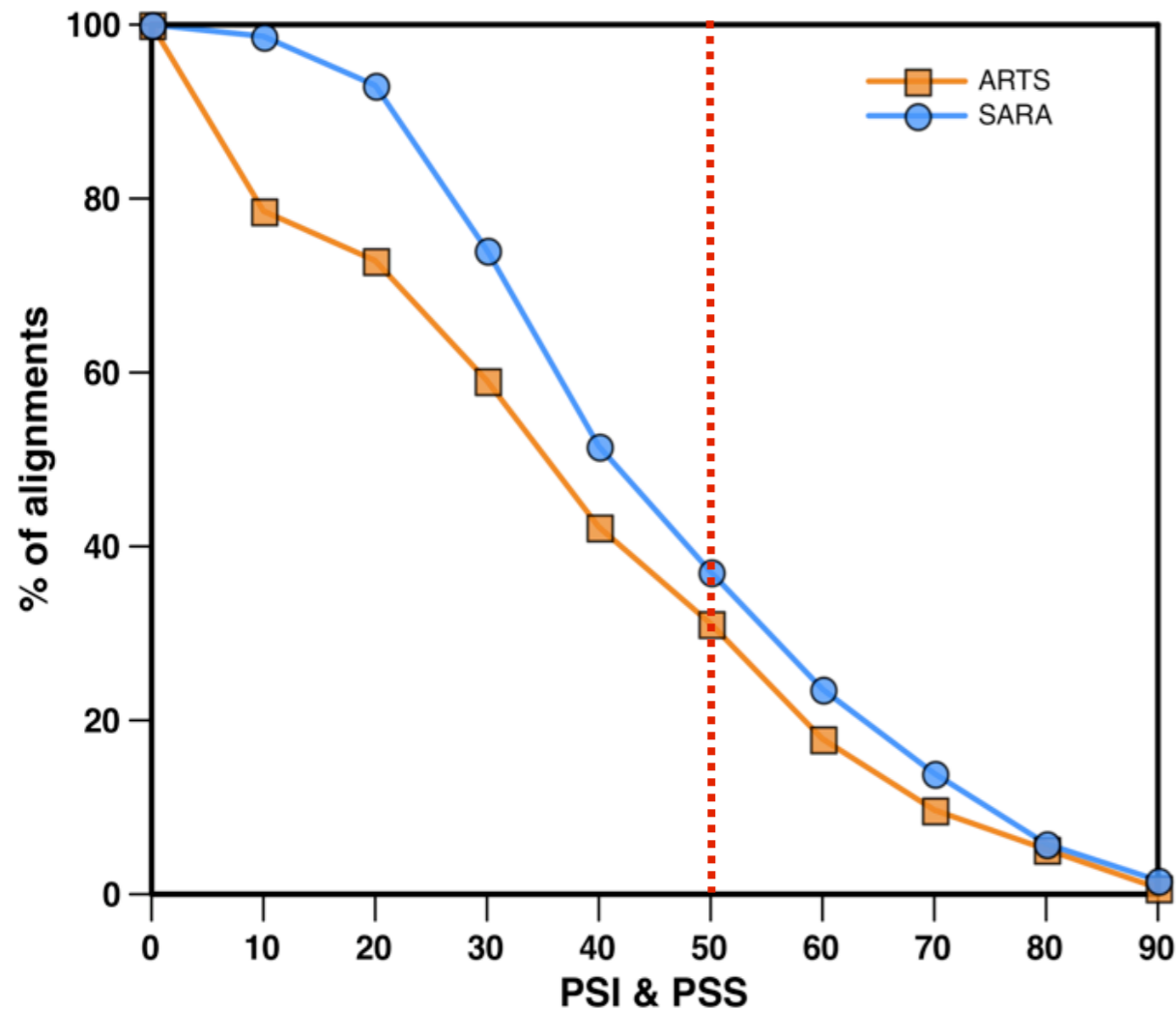


# Statistical significance

all-against-all comparison of structures in the NR95 set



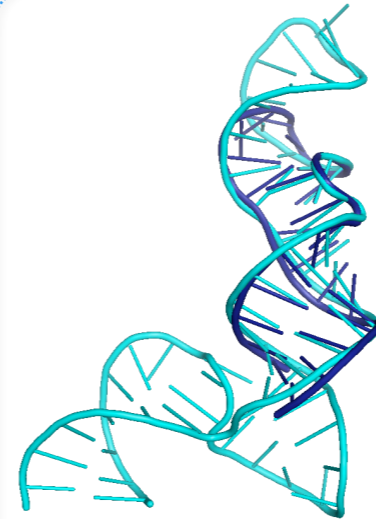
# Comparison with ARTS



**PSI:** % of structure identity

**PSS:** % of secondary structure identity

**Cut-off distance:** 4.0 Å



## SARA

Percentage of structure identity (PSI) **92.6%**  
 Percentage of sequence identity **48.0%**  
 Percentage of SSE identity **100.0%**  
 RMSD **1.78 Å**

>1q96 Chain:A

-----ggugcucaguaugag-----aagaaccgcacc-----

>1un6 Chain:E

gccggccacaccuacggggccugguuaguaccugggaaaccugggaaauaccaggugccggc



## ARTS

Percentage of structure identity (PSI) **76.9%**  
 Percentage of sequence identity **20.0%**  
 Percentage of SSE identity **79.2%**  
 RMSD **1.66 Å**

>1q96 Chain:A

-----gugcucaguaugaga-----aga-accgcacc-----

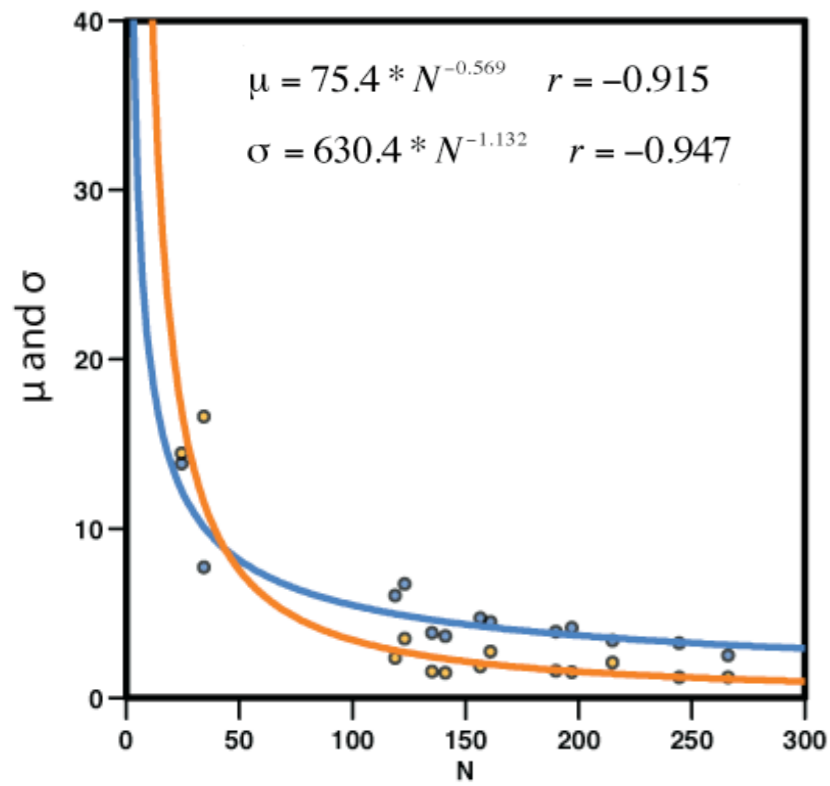
>1un6 Chain:E

ccggccacaccuacggggccugguuaguaccugggaaaccugggaaauaccaggugccggc

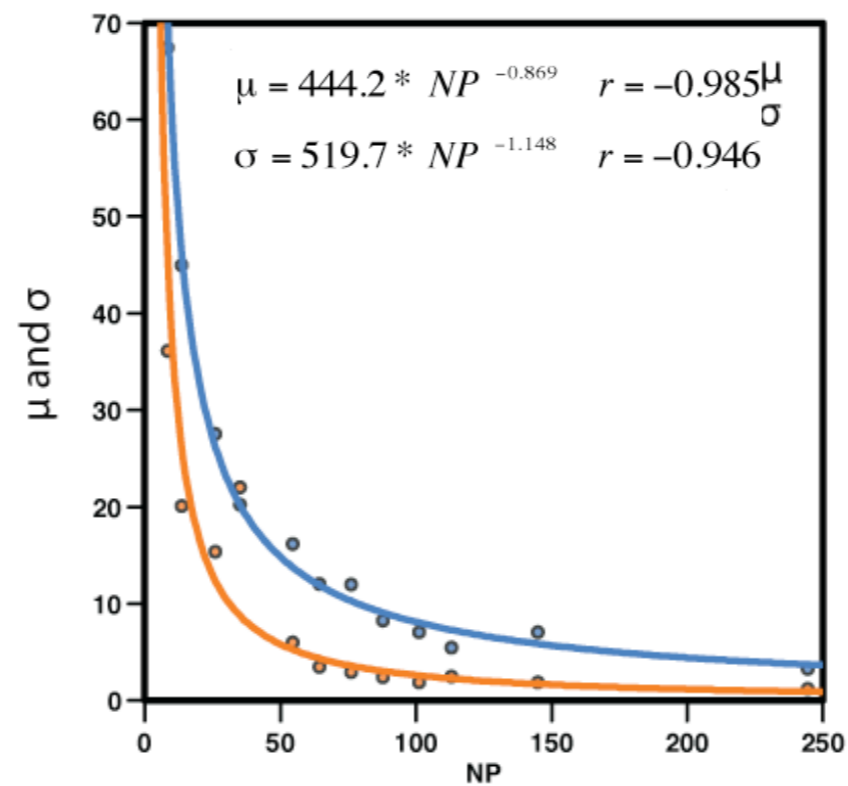
# Background distributions

Fitting of the  $\mu$  and  $\sigma$  values.  $\mu$  (blue) and  $\sigma$  (orange) parameters for PID, PSS and PSI that best fit an extreme value distribution. The distributions have been calculated using a set of **50,995 alignments** between pairs of unrelated RNA.

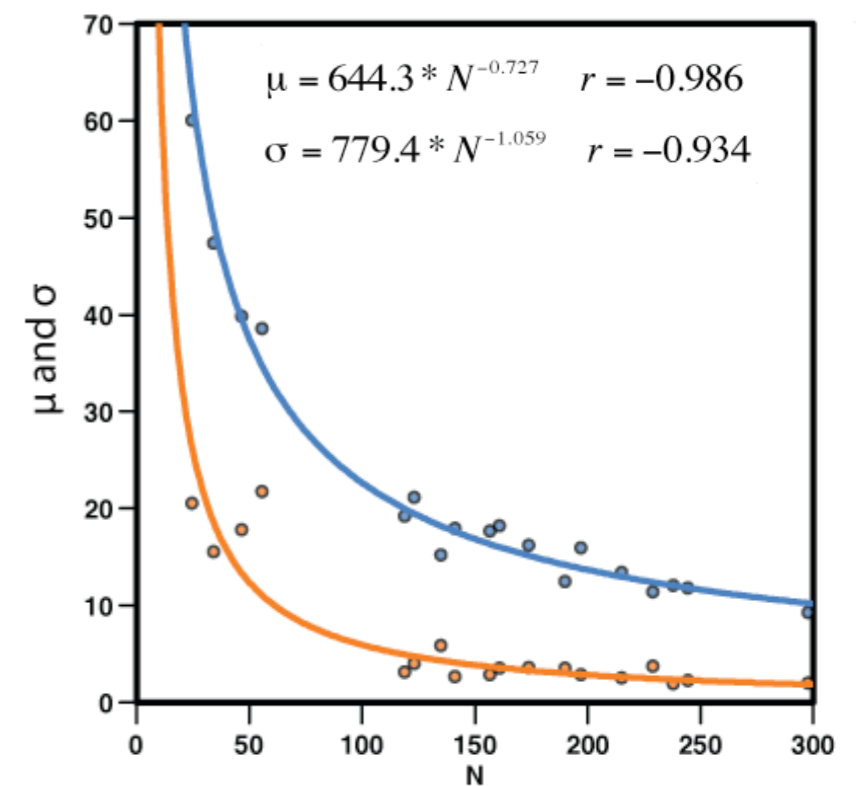
**PID**



**PSS**



**PSI**

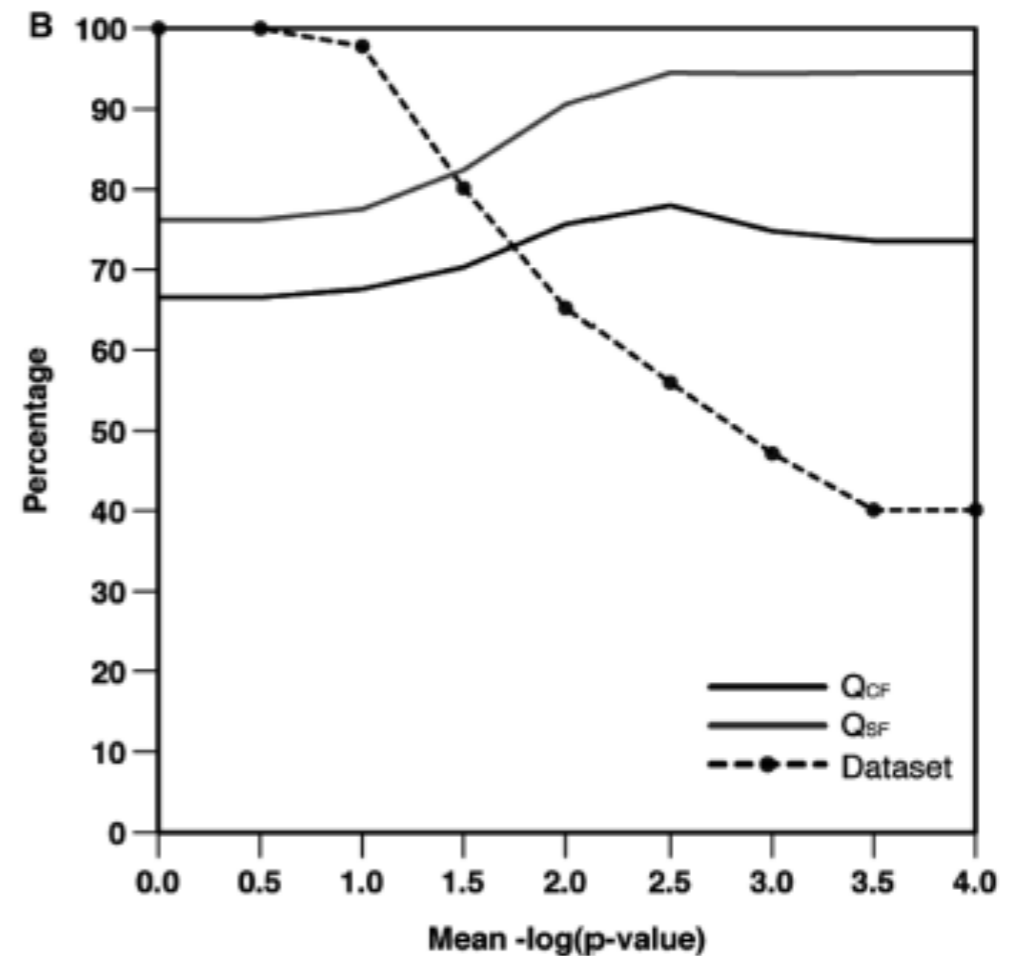
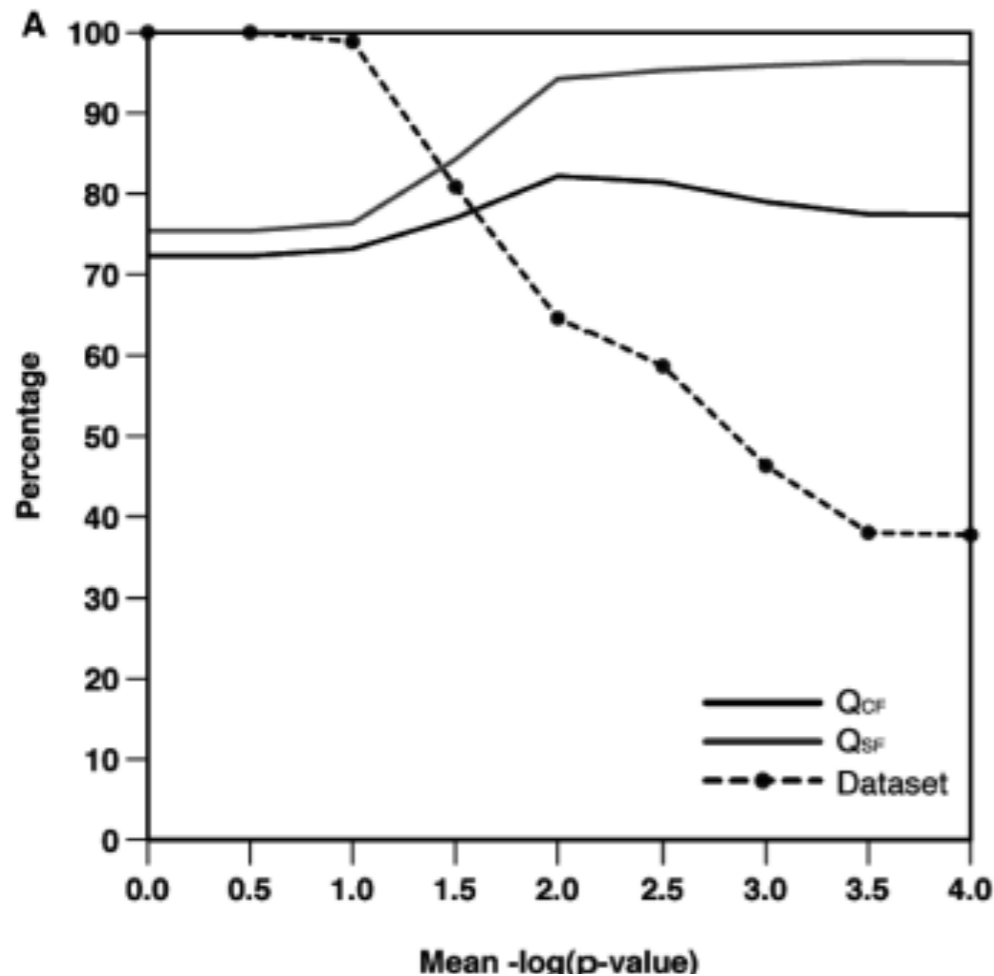


# Predicting RNA function

- The main idea behind this experiment is trying to **predict RNA function using 3D structural alignments**.
- We aligned an **RNA structure with unknown function** against the whole set of RNA structures annotated in SCOR database.
- The RNA function is inferred **assigning the same function of the RNA** the alignment with **highest mean  $-\ln(p\text{-value})$** .
- The method is tested using a **leaving one out procedure on** the whole annotated RNA structures in **SCOR database**.

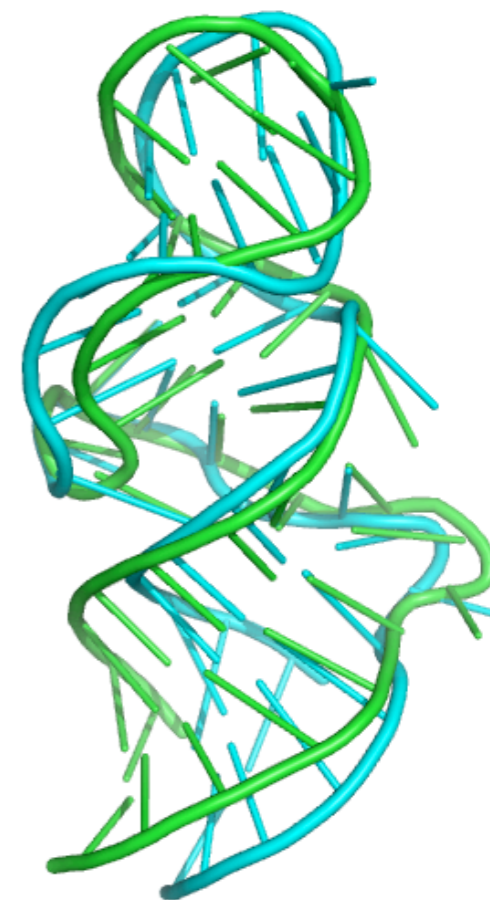
# Function assignment

The accuracy of **corrected function** ( $Q_{CF}$ ) and **similar function** ( $Q_{SF}$ ) assignment tasks has been plotted as a function of the mean negative logarithm of the P-values for the best alignment. In (A) the plot results from leave one out on all SCOR set and (B) the performances using a representative SCOR subset



# Prediction example

1t1s chain A (cyan) is a RNA Aptamer that recognizes the chromophore malachite green. The structure ranked in the first position 1q8nA (green) has been classified as Malachite green binding Aptamer. The second structure is another Aptamer binding a different ligand.

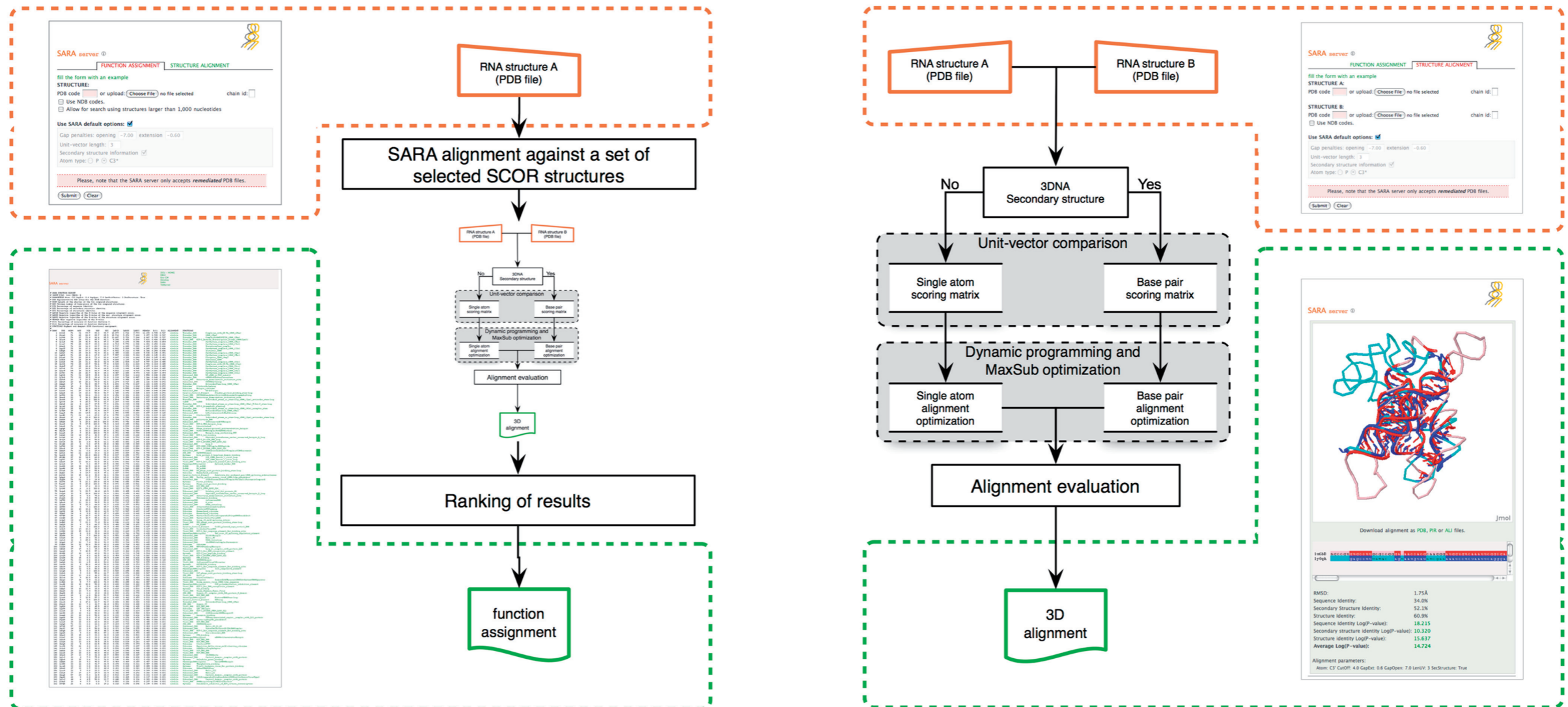


```
# SARA FUNCTION REPORT
# INPUT FILE: 1f1t CHAIN: A
# PARAMETERS Atom: C3' GapExt: 0.6 GapOpen: 7.0 LenUnitVector: 3 SecStructure: True
# PDB Representative PDB entry for the SCOR function.
# NORM Length of the shorter of the two compared structures.
# NSS Minimum number of base-pairs of the two compared structures.
# PID Percentage of sequence identity.
# PSS Percentage of secondary structure identity.
# PSI Percentage of structural identity.
# LNPID Negative logarithm of the P-value of the sequence alignment score.
# LNPSS Negative logarithm of the P-value of the sec. structure alignment score.
# LNPSI Negative logarithm of the P-value of the structure alignment score.
# MEANLN Mean negative logarithm of the P-value.
# P(0) Percentage of accuracy at function distance 0.
# P(2) Percentage of accuracy at function distance 2.
# FUNCTIONS Highest and deepest SCOR functional assignment.
```

#	RANK	PDB	NORM	NSS	PID	PSS	PSI	LNPID	LNPSS	LNPSI	MEANLN	P(0)	P(2)	ALIGNMENT	FUNCTIONS
	1	1q8nA	38	15	60.5	66.7	73.7	5.078	1.527	2.067	2.891	0.529	0.760	alnfile	Aptamer Malachite_green_binding
	2	1o15A	33	12	30.3	75.0	84.8	2.044	1.315	2.146	1.835	0.035	0.072	alnfile	Aptamer Theophylline_binding
	3	1lmgB	38	15	28.9	60.0	68.4	2.249	1.294	1.793	1.779	0.035	0.072	alnfile	SRP_RNA SRPRNASdomain
	4	28srA	28	12	39.3	75.0	85.7	2.280	1.315	1.691	1.762	0.035	0.072	alnfile	SRP_RNA Domain_IV
	5	1i6uD	37	15	18.9	66.7	75.7	1.382	1.527	2.083	1.664	0.035	0.072	alnfile	Ribosomal_RNA Helix_21
	6	1rfrA	30	14	23.3	50.0	83.3	1.425	0.872	1.788	1.362	0.035	0.072	alnfile	Viral_RNA CocksackieVirusRNA
	7	1mnbB	28	11	32.1	63.6	75.0	1.850	0.905	1.306	1.354	0.035	0.072	alnfile	Viral_RNA BIV_TAR_RNA
	8	1llwA	29	13	24.1	53.8	82.8	1.431	0.883	1.673	1.329	0.035	0.072	alnfile	SRP_RNA Helix_6
	9	1nbkA	34	14	17.6	50.0	76.5	1.199	0.872	1.855	1.309	0.035	0.072	alnfile	Viral_RNA HIV-1_tat_binding
	10	1n8xA	36	15	22.2	33.3	72.2	1.597	0.496	1.823	1.305	0.035	0.072	alnfile	Viral_RNA HIV-1 PSIRNA STEM LOOP SL1

# SARA server

The accuracy of **corrected function** ( $Q_{CF}$ ) and **similar function** ( $Q_{SF}$ ) assignment tasks has been plotted



<http://structure.biofold.org/sara>

Capriotti and Marti-Renom. (2009), PMID: 19483098

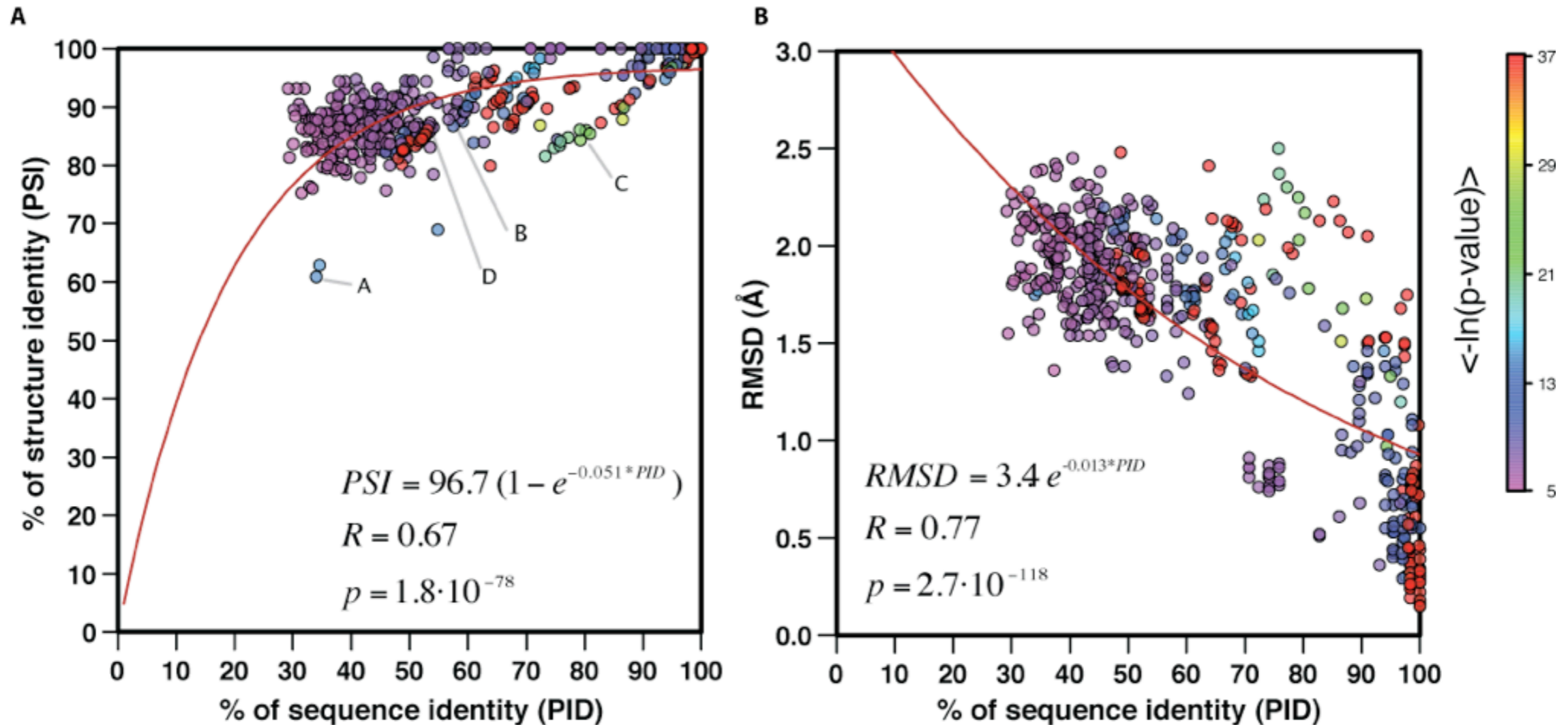


# Defining RNA structural space

- With the increasing number of available RNA structures we did the **first attempt to define RNA structural space**.
- We aligned all against all a set of **451 non identical RNA structures** and we selected a subset **589 high quality alignments**.
- The **relationship between sequence identity, secondary structure identity and 3D structure identity** have be quantified
- We **defined the twilight zone for RNA** aligning all against all the sequences of same set of RNA using Infernal.

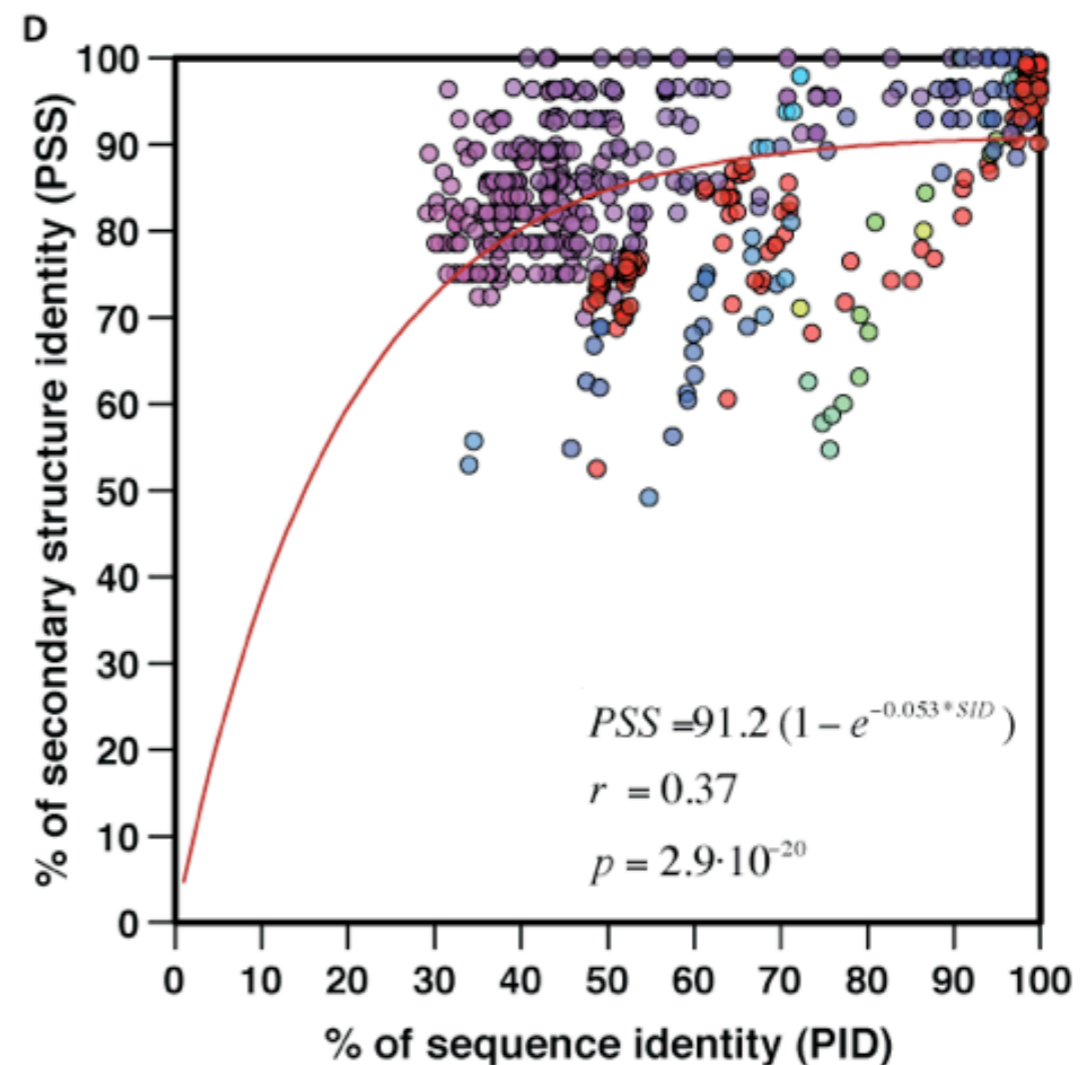
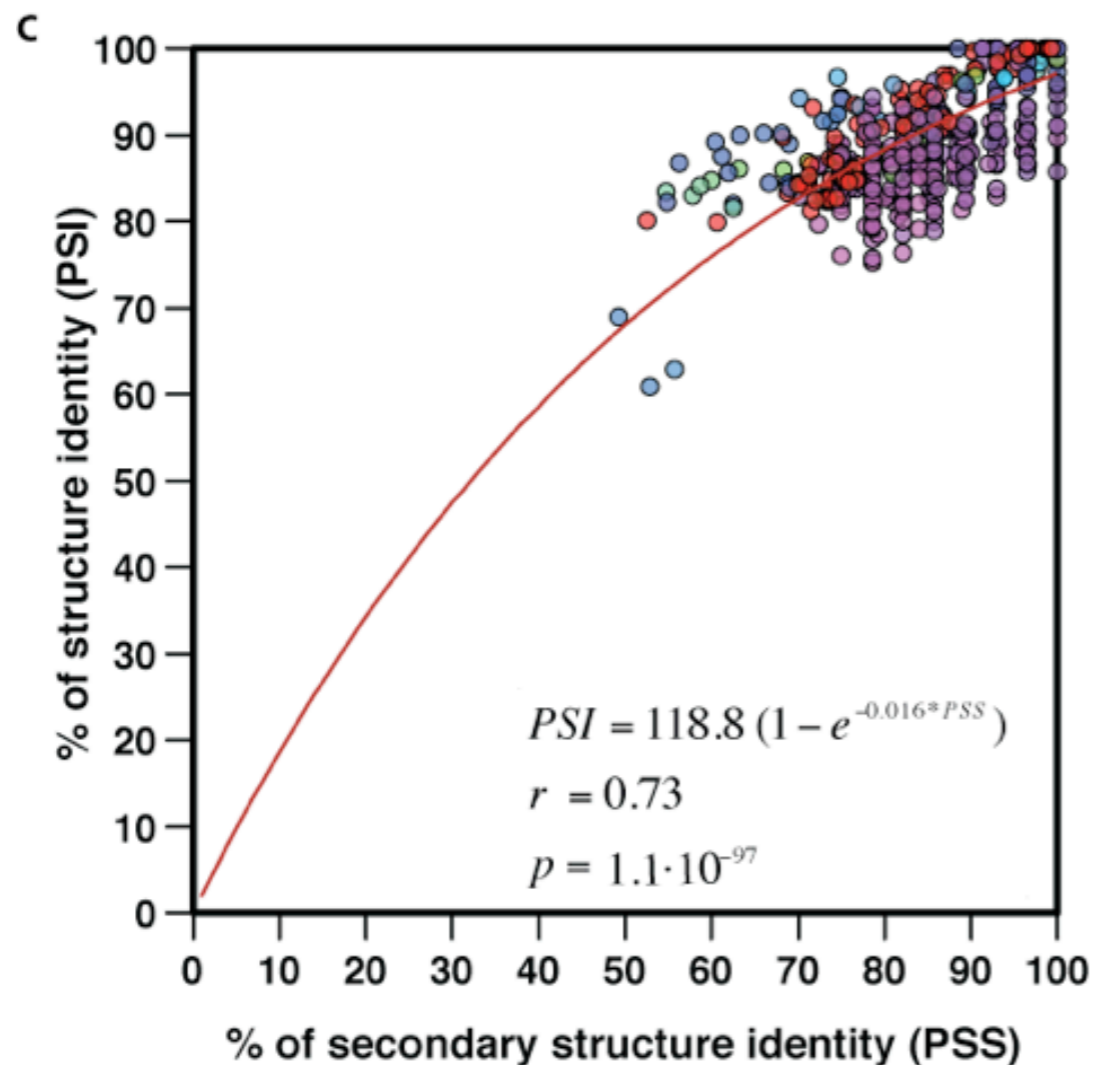
# RNA structure space

The percentage of **sequence identity** (PID) **correlates with** the percentage of **structure identity** (PSI). Higher correlation coefficient is found between **sequence identity and the RMSD** value on the subset of atoms corresponding to equivalent residues. The **correlation decreases** in the region of **sequence identity lower than 60%**.



# RNA secondary structure

Secondary structure identity (PSS) strongly correlates with tertiary structure identity (PSI), meaning that good secondary structure alignments correspond to high tertiary structure similarity. The percentage of **sequence identity** (PID) poorly **correlates with** the percentage of **secondary structure identity** (PSS). This results is in agreement with low accuracy in the prediction of secondary structure.



# Alignment examples (I)

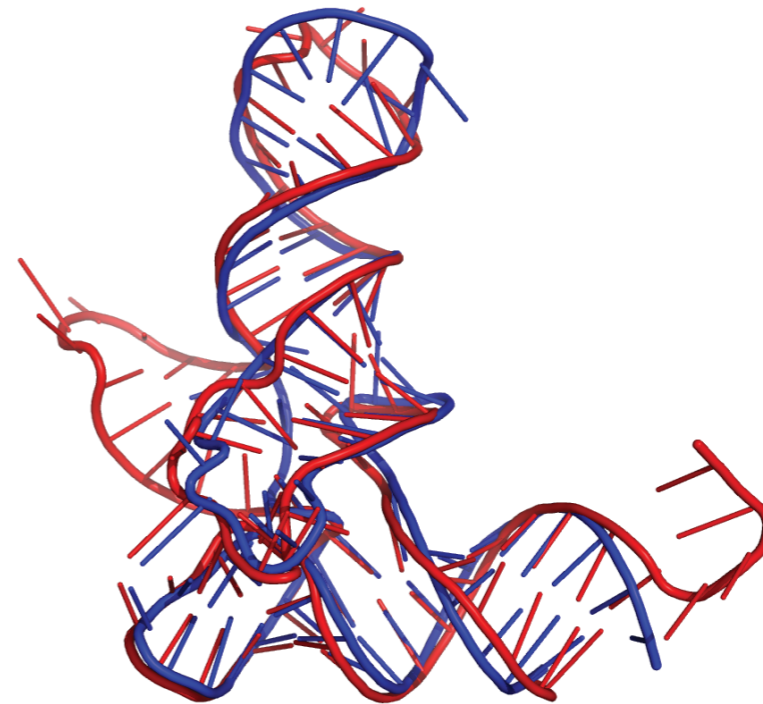
Examples of **medium quality RNA structural alignments** for group I ribozyme and tRNA.

A Staphylococcus phage group I ribozyme (1y0q:A)  
Synthetic I Intron fragment (1u6b:B)



Aligned nucleotides:	120
RMSD:	1.8 Å
Sequence Identity:	34.0 %
Secondary Structure Identity:	52.1 %
Structure Identity:	60.9 %
Sequence $-\ln(p\text{-value})$ :	18.2
Secondary structure $-\ln(p\text{-value})$ :	10.3
Structure $-\ln(p\text{-value})$ :	15.6
<b>Mean <math>-\ln(p\text{-value})</math>:</b>	<b>14.7</b>

B Pyrococcus horikoshii tRNA(Leu) (1wz2:C)  
Acuifex aeolicus tRNA(Met) (2ct8:C)

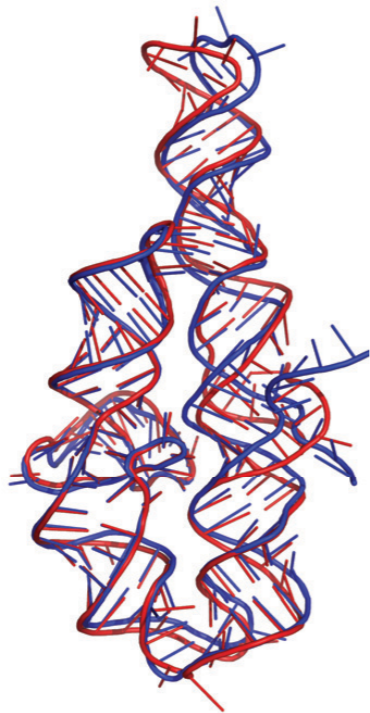


Aligned nucleotides:	65
RMSD:	1.9 Å
Sequence Identity:	56.8 %
Secondary Structure Identity:	88.5 %
Structure Identity:	87.8 %
Sequence $-\ln(p\text{-value})$ :	10.2
Secondary structure $-\ln(p\text{-value})$ :	5.2
Structure $-\ln(p\text{-value})$ :	7.2
<b>Mean <math>-\ln(p\text{-value})</math>:</b>	<b>7.5</b>

# Alignment examples (II)

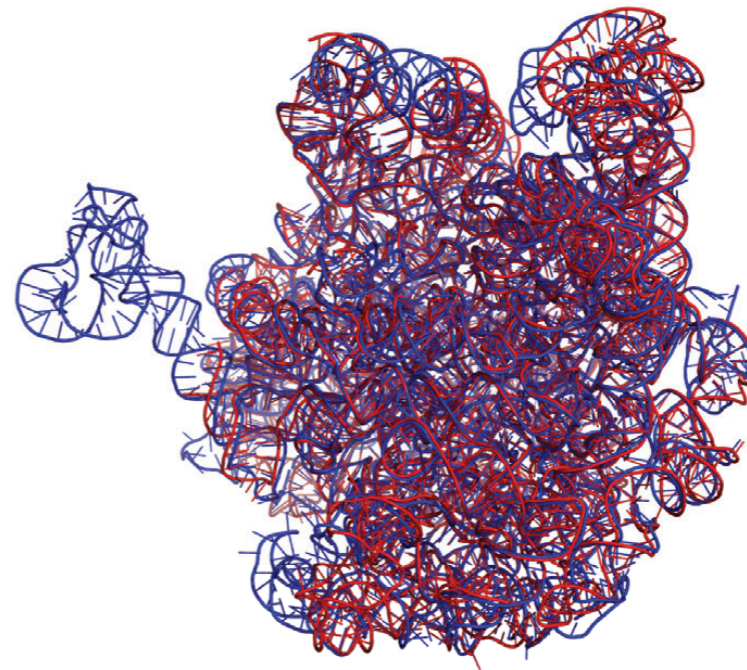
Examples of **high quality RNA structural alignments** for P4-P6 RNA ribozyme and 23S RNA

C Synthetic P4-P6 RNA ribozyme (118v:A)  
Synthetic P4-P6 RNA ribozyme (2r8s:R)



Aligned nucleotides:	134
RMSD:	1.8 Å
Sequence Identity:	80.9 %
Secondary Structure Identity:	81.0 %
Structure Identity:	85.4 %
Sequence $-\ln(p\text{-value})$ :	37.0
Secondary structure $-\ln(p\text{-value})$ :	17.1
Structure $-\ln(p\text{-value})$ :	19.4
<b>Mean <math>-\ln(p\text{-value})</math>:</b>	<b>24.5</b>

D Haloarcula marismortui 23S RNA (3cce:0)  
Thermus thermophilus 23S RNA (3d5b:A)



Aligned nucleotides:	2,347
RMSD:	1.7 Å
Sequence Identity:	52.7 %
Secondary Structure Identity:	75.7 %
Structure Identity:	85.2 %
Sequence $-\ln(p\text{-value})$ :	37.0
Secondary structure $-\ln(p\text{-value})$ :	37.0
Structure $-\ln(p\text{-value})$ :	37.0
<b>Mean <math>-\ln(p\text{-value})</math>:</b>	<b>37.0</b>

# RNA twilight zone

It is possible to calculate the **twilight-zone curve** that **better discriminates between high and low quality alignments**.

